

Matting and Compositing

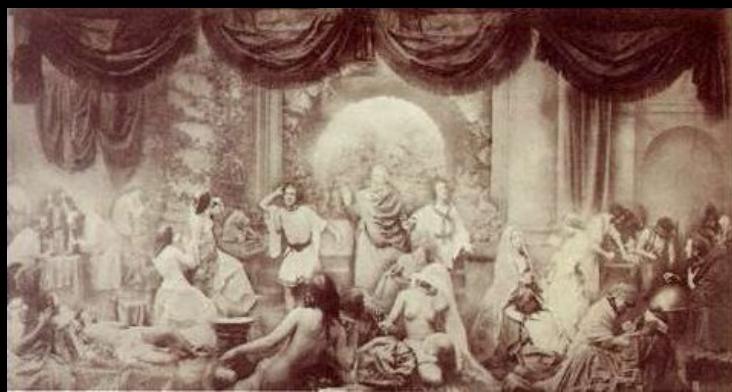
Digital Visual Effects, Spring 2007

Yung-Yu Chuang

2007/5/1

*Traditional matting
and composting*

Photomontage



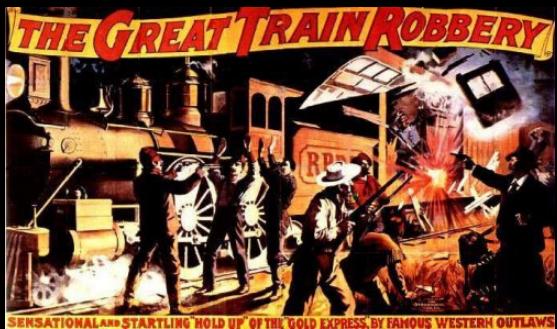
The Two Ways of Life, 1857, Oscar Gustav Rejlander
Printed from the original 32 wet collodion negatives.

Photographic compositions



Lang Ching-shan

Use of mattes for compositing



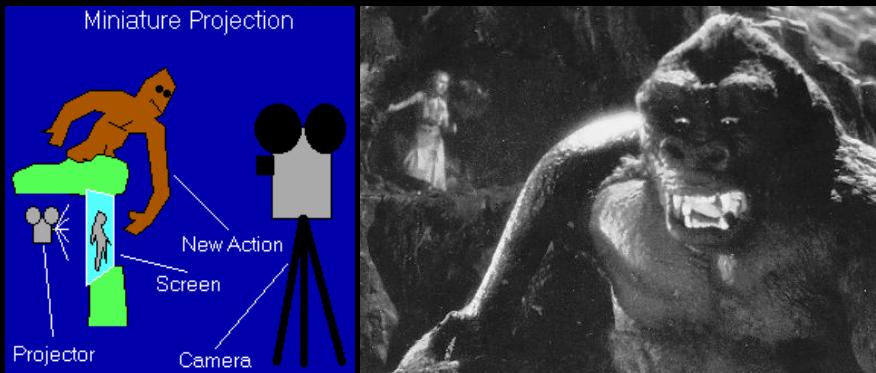
The Great Train Robbery (1903) matte shot

Use of mattes for compositing



The Great Train Robbery (1903) matte shot

Optical compositing



King Kong (1933) Stop-motion + optical compositing

Digital matting and compositing

The lost world (1925)



Miniature, stop-motion

The lost world (1997)



Computer-generated images

Digital matting and composting

King Kong (1933)



Optical compositing

Jurassic Park III (2001)



Blue-screen matting,
digital composition,
digital matte painting

Digital matting: bluescreen matting



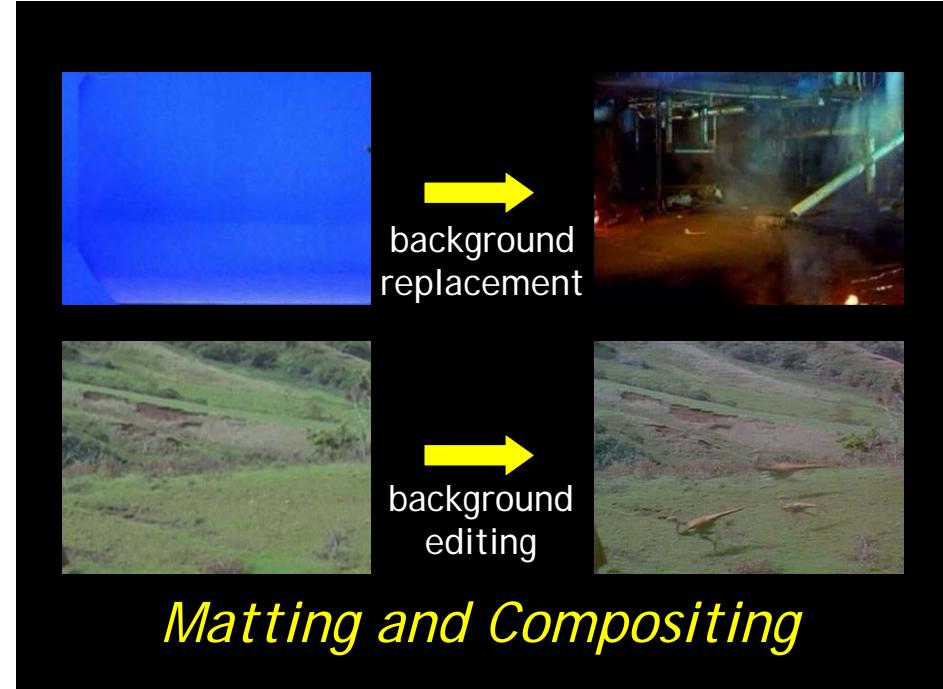
Forrest Gump (1994)

- The most common approach for films.
- Expensive, studio setup.
- Not a simple one-step process.

Titanic

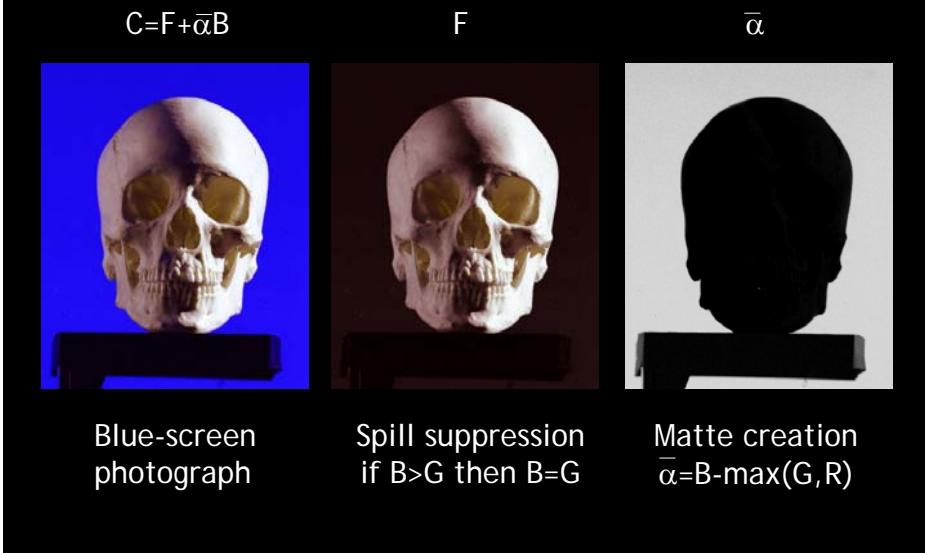


Matting and Compositing

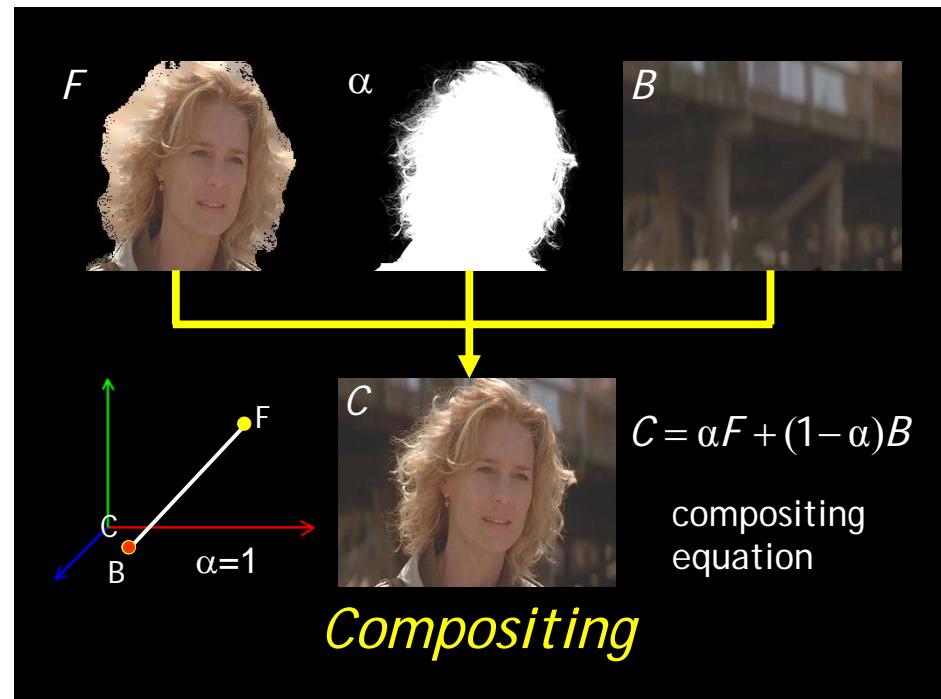
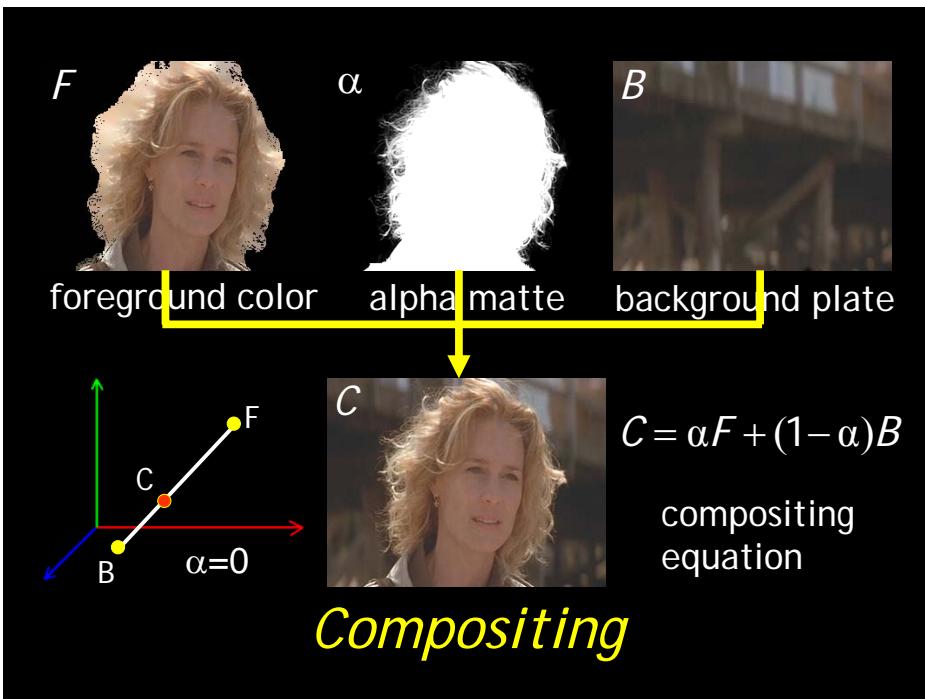
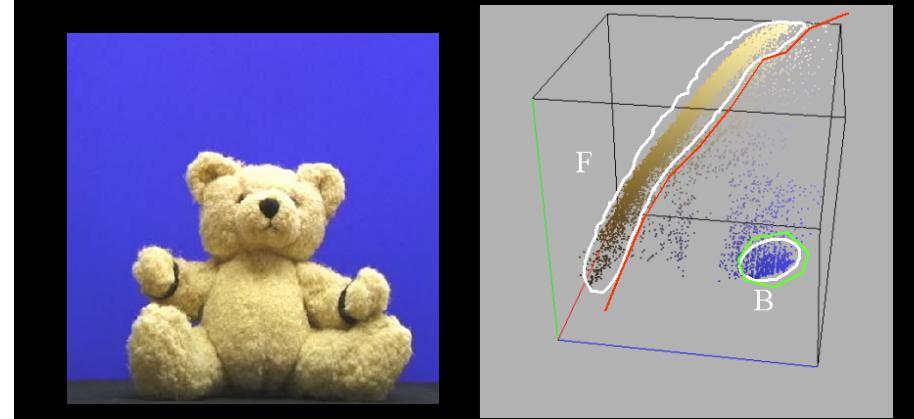


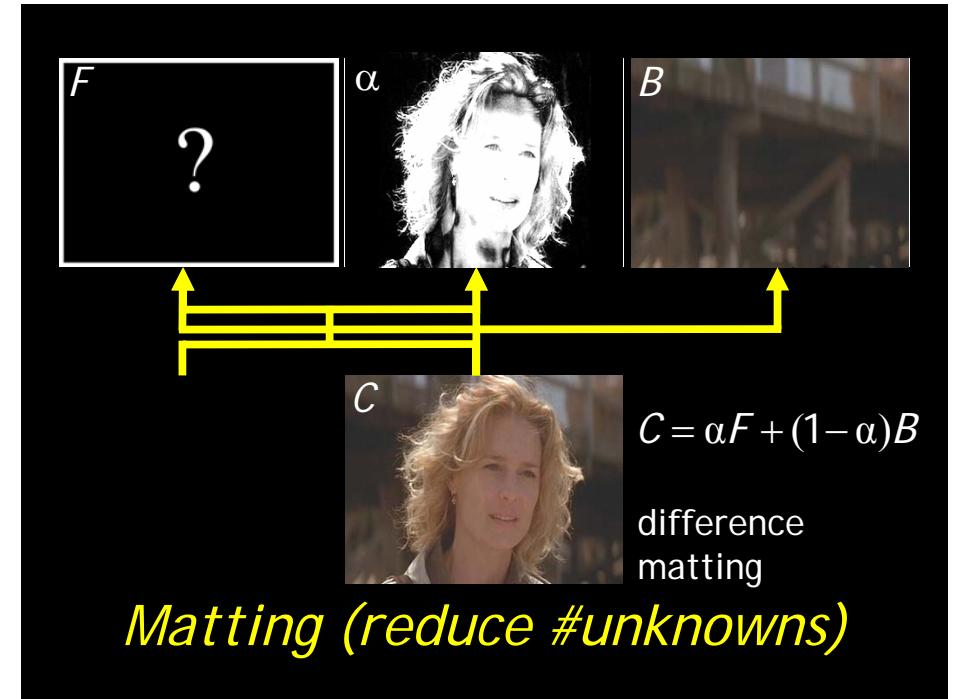
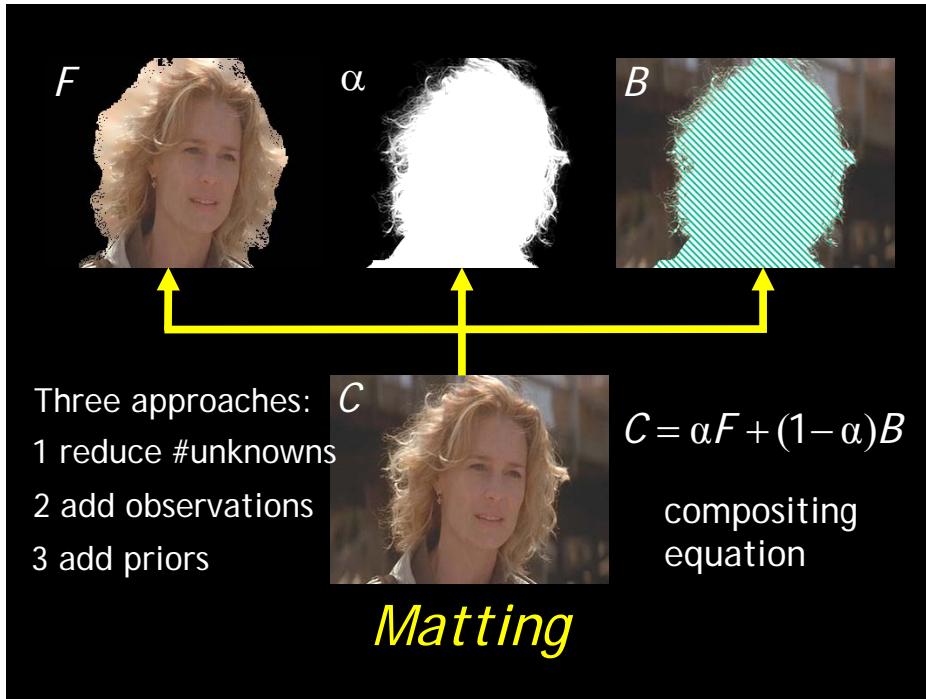
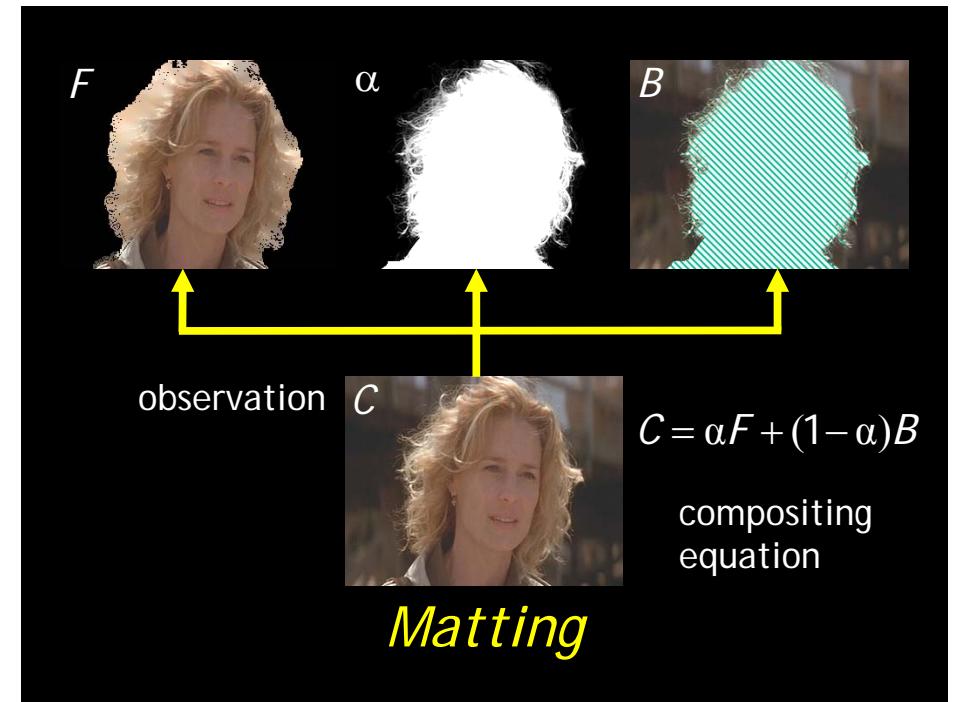
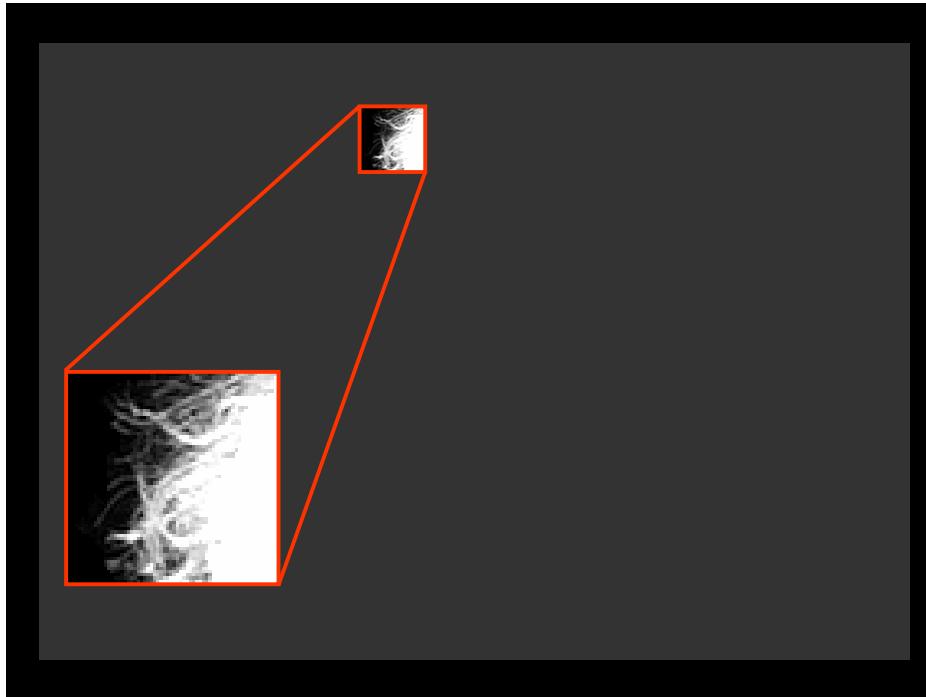
Matting and Compositing

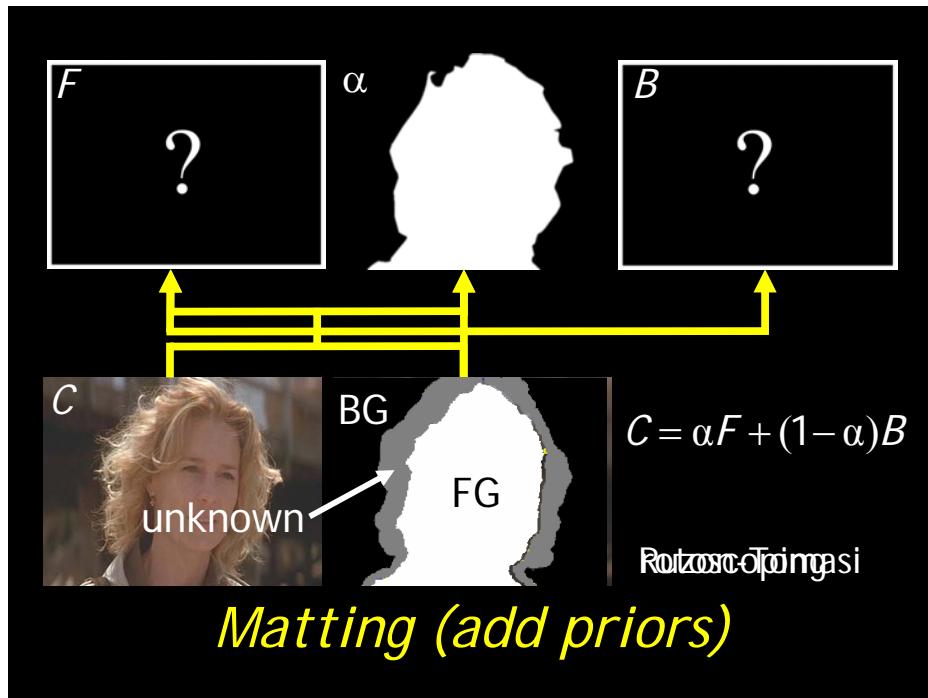
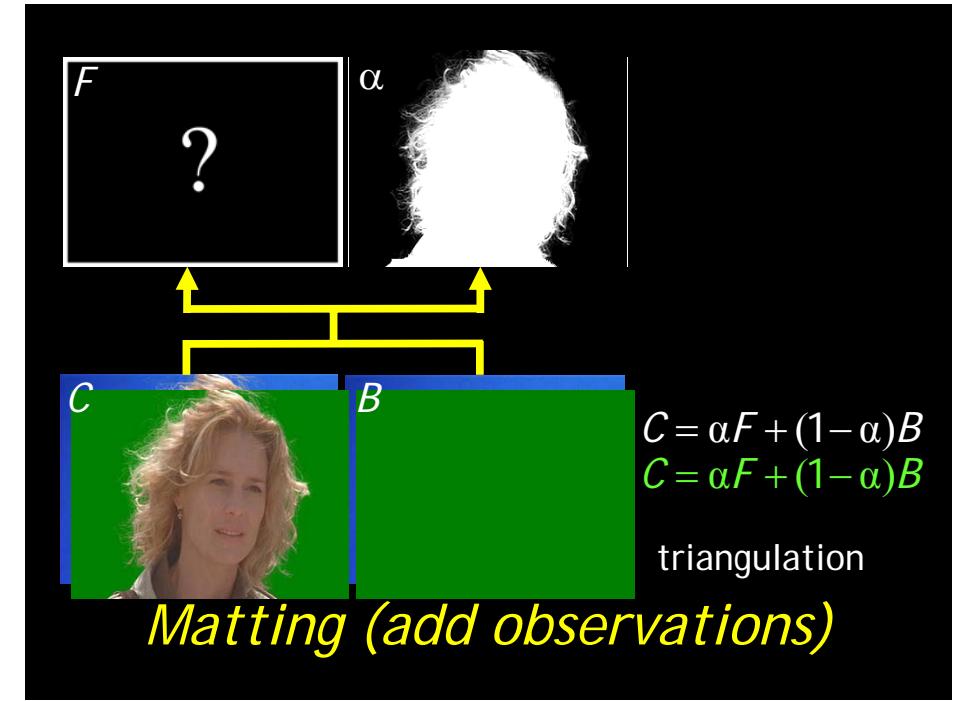
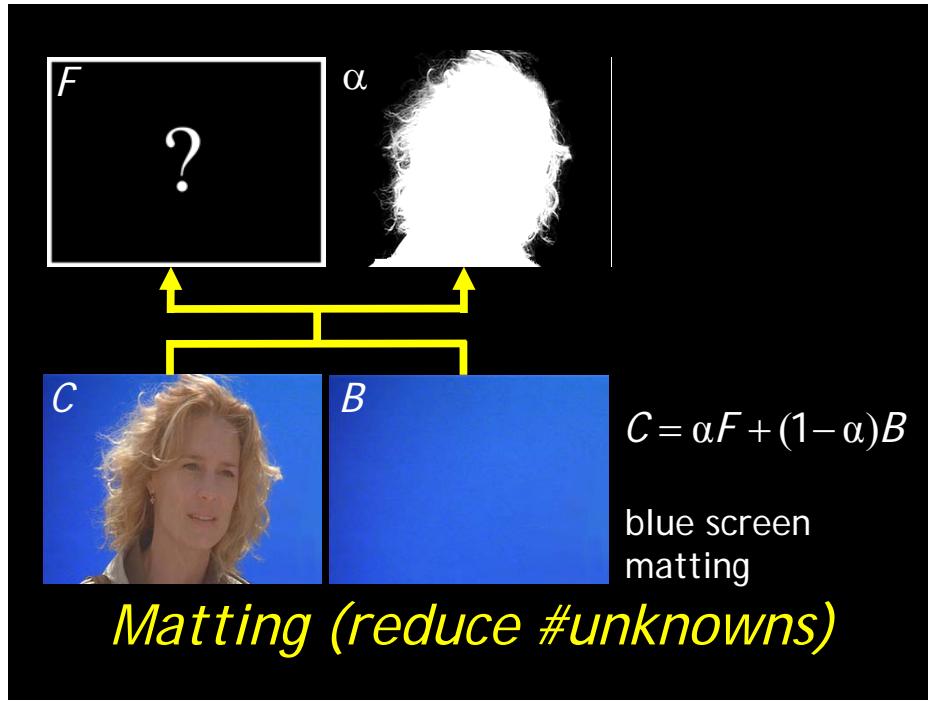
Color difference method (Ultimatte)



Chroma-keying (Primate)







posterior probability

likelihood

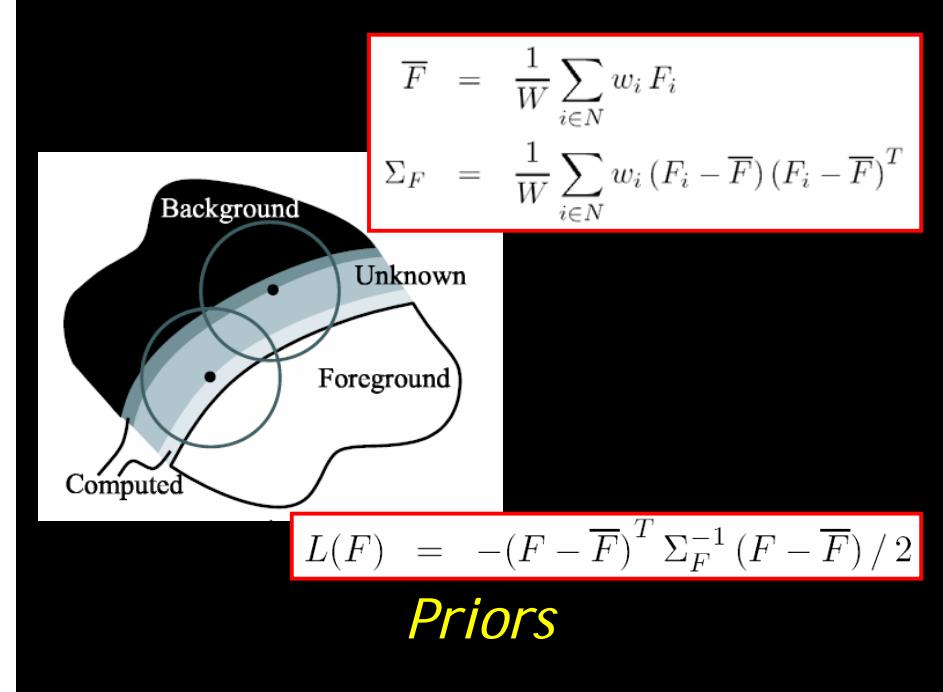
priors

$$\arg \max_{F,B,\alpha} P(F, B, \alpha | C)$$

$$= \arg \max_{F,B,\alpha} P(C | F, B, \alpha) P(F) P(B) P(\alpha) / P(C)$$

$$L(C | F, B, \alpha) = -\|C - \alpha F - (1 - \alpha)B\|^2 / 2\sigma_C^2$$

Bayesian framework



repeat

1. fix alpha

$$\begin{bmatrix} \Sigma_F^{-1} + I\alpha^2/\sigma_C^2 & I\alpha(1-\alpha)/\sigma_C^2 \\ I\alpha(1-\alpha)/\sigma_C^2 & \Sigma_B^{-1} + I(1-\alpha)^2/\sigma_C^2 \end{bmatrix} \begin{bmatrix} F \\ B \end{bmatrix}$$

$$= \begin{bmatrix} \Sigma_F^{-1}\bar{F} + C\alpha/\sigma_C^2 \\ \Sigma_B^{-1}\bar{B} + C(1-\alpha)/\sigma_C^2 \end{bmatrix}$$

2. fix F and B

$$\alpha = \frac{(C - B) \cdot (F - B)}{\|F - B\|^2}$$

until converge

Optimization





Bayesian image matting



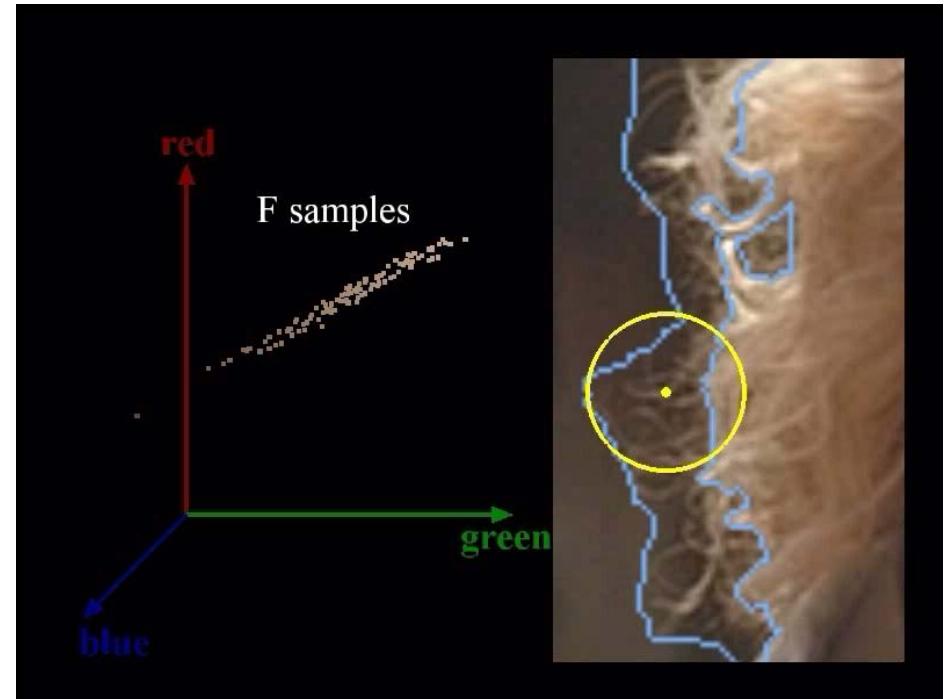
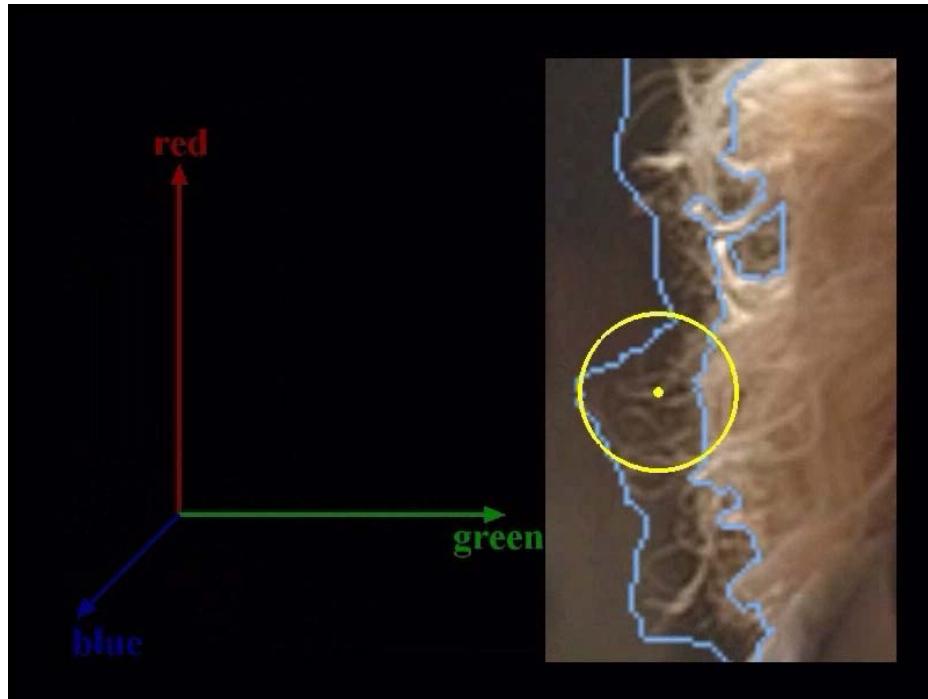
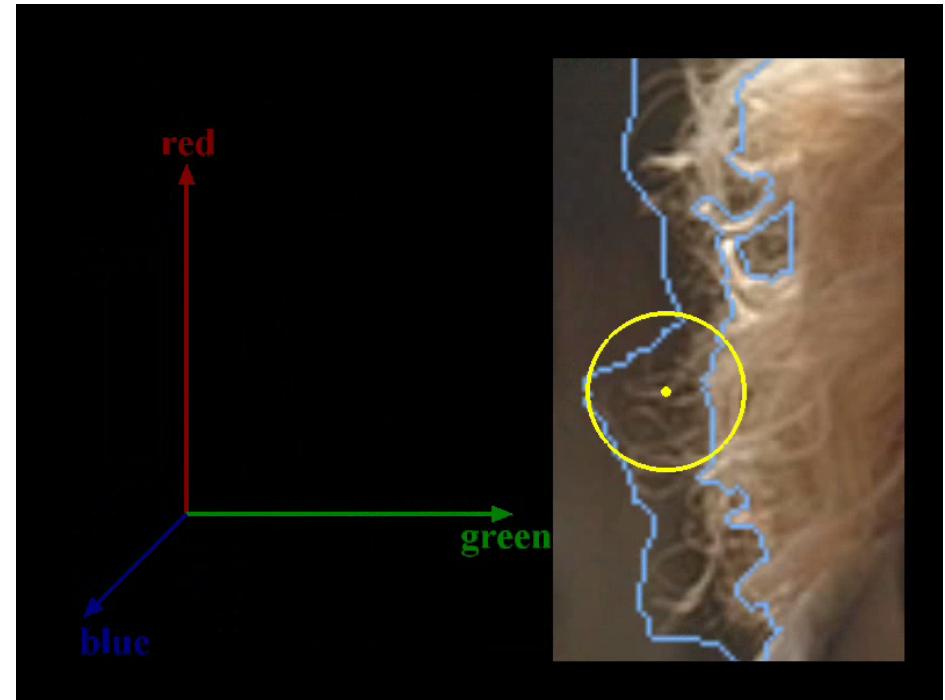
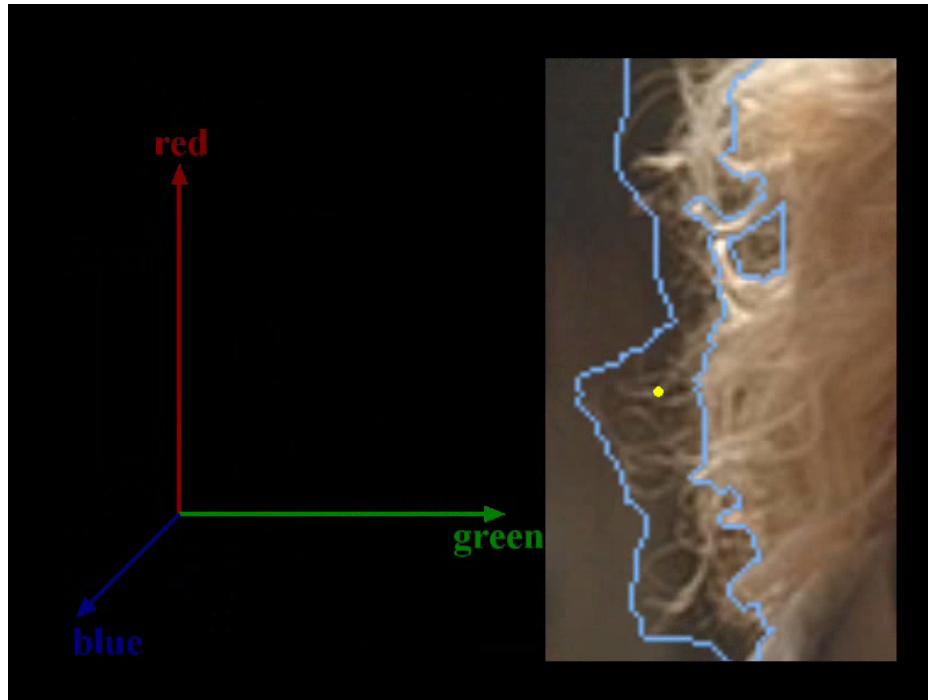
Bayesian image matting

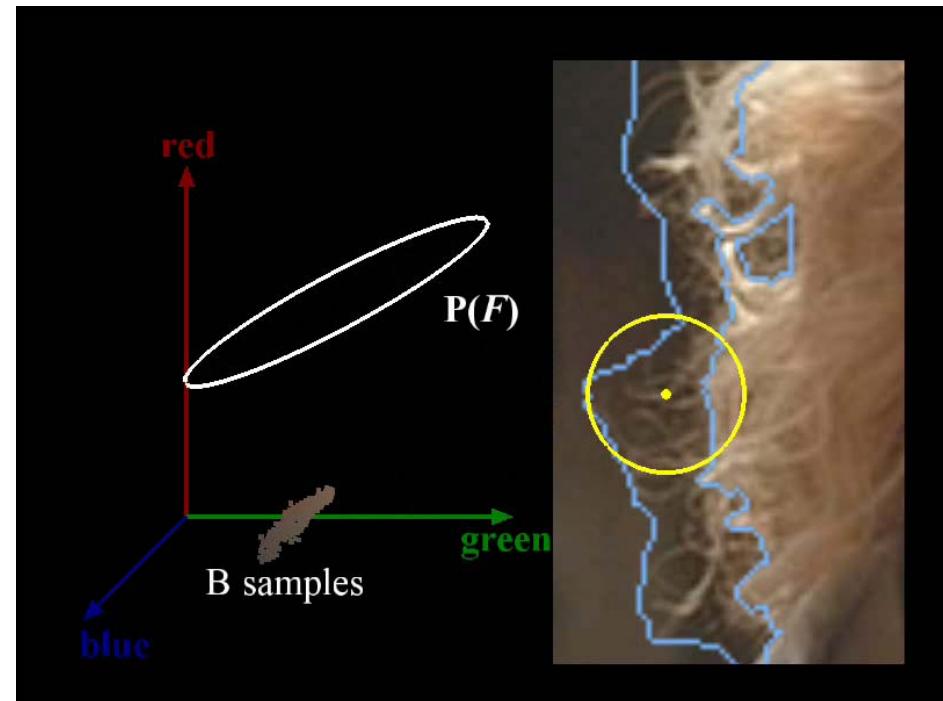
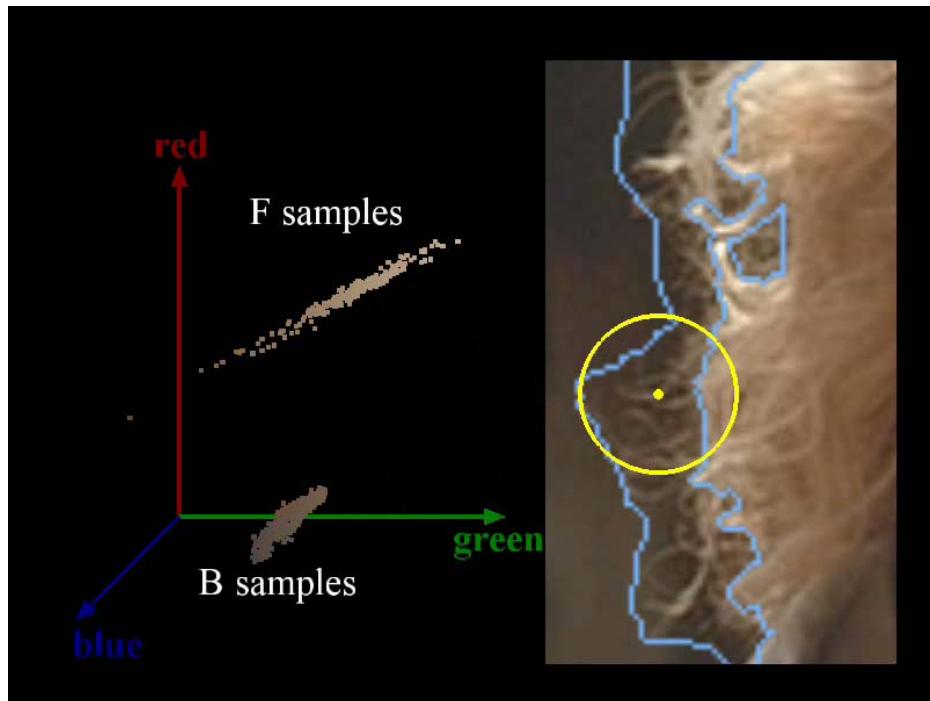
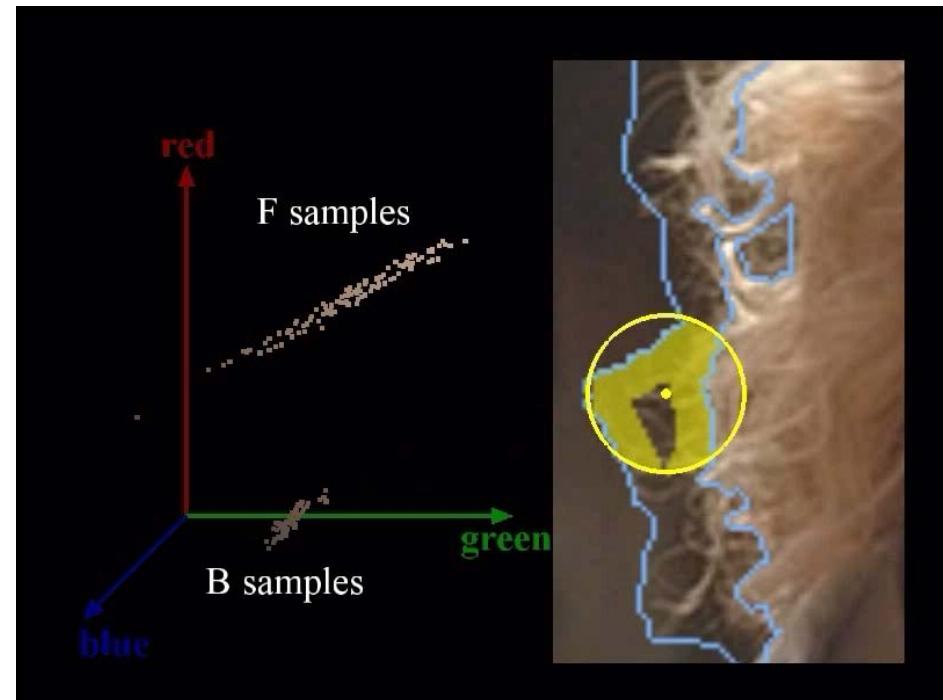
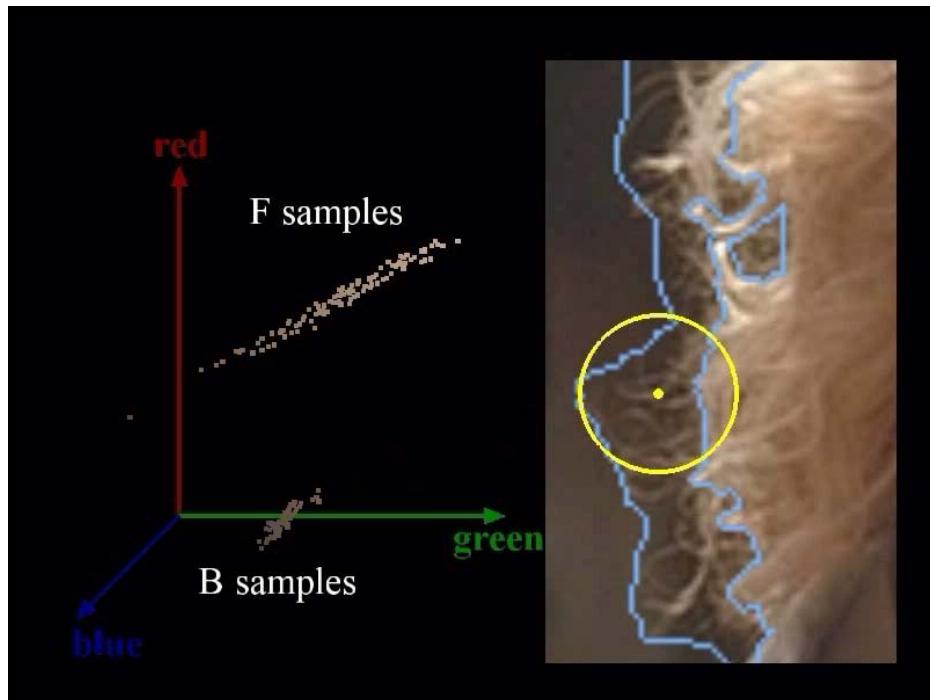


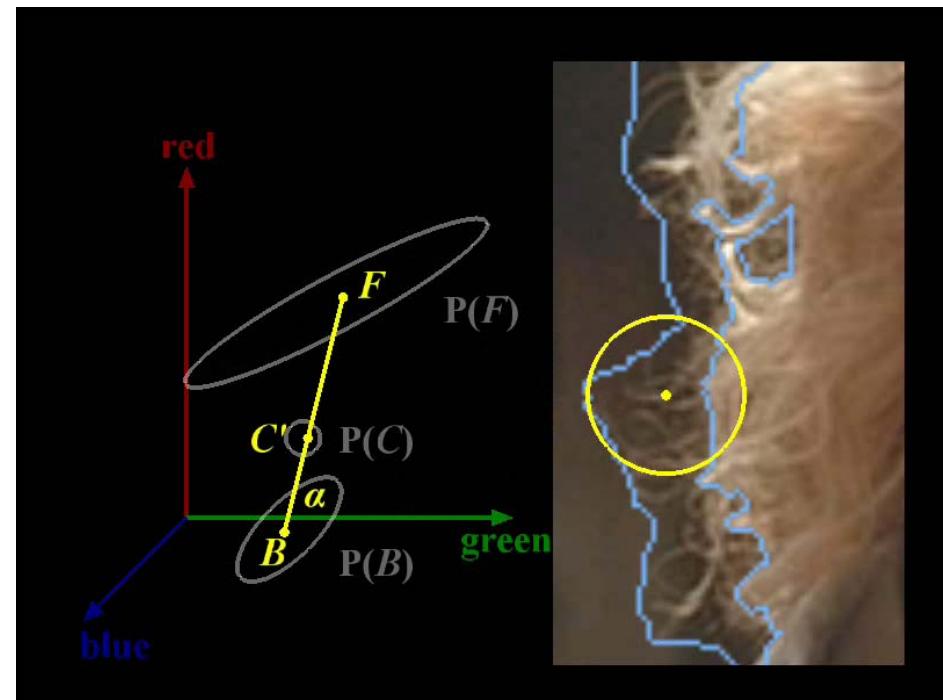
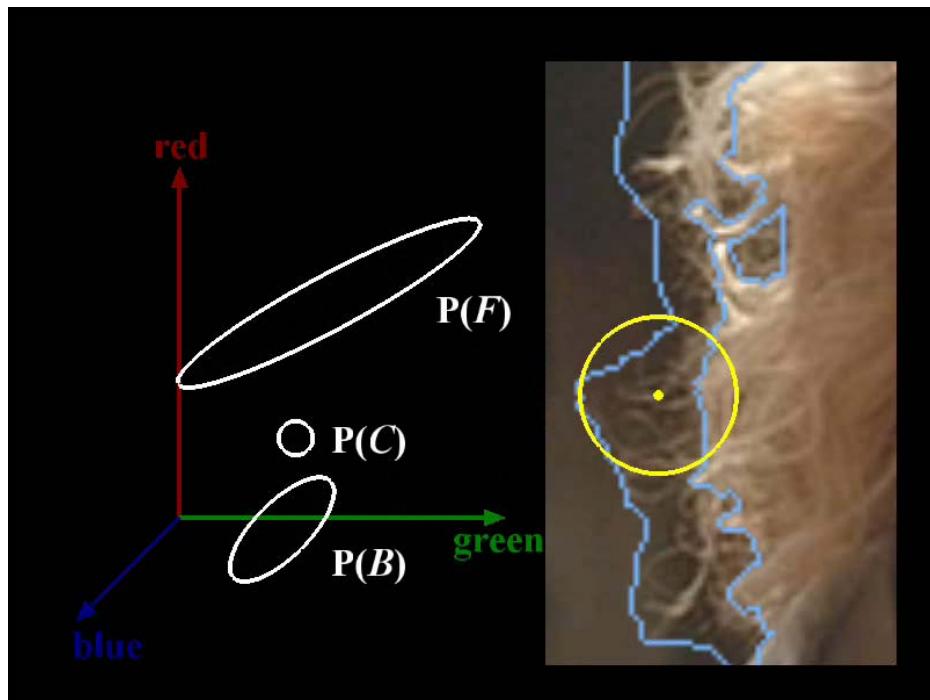
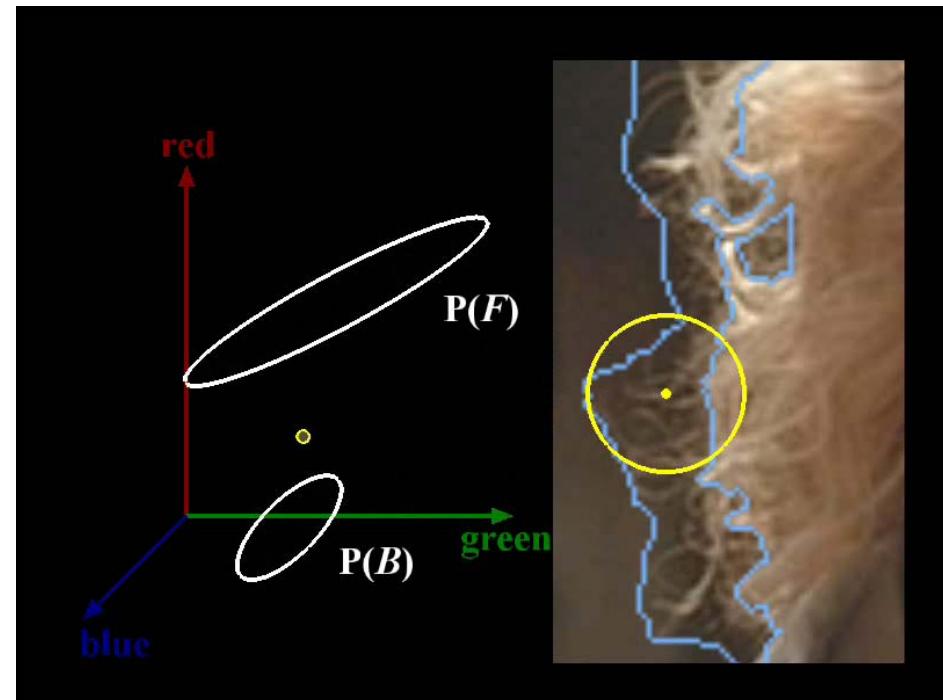
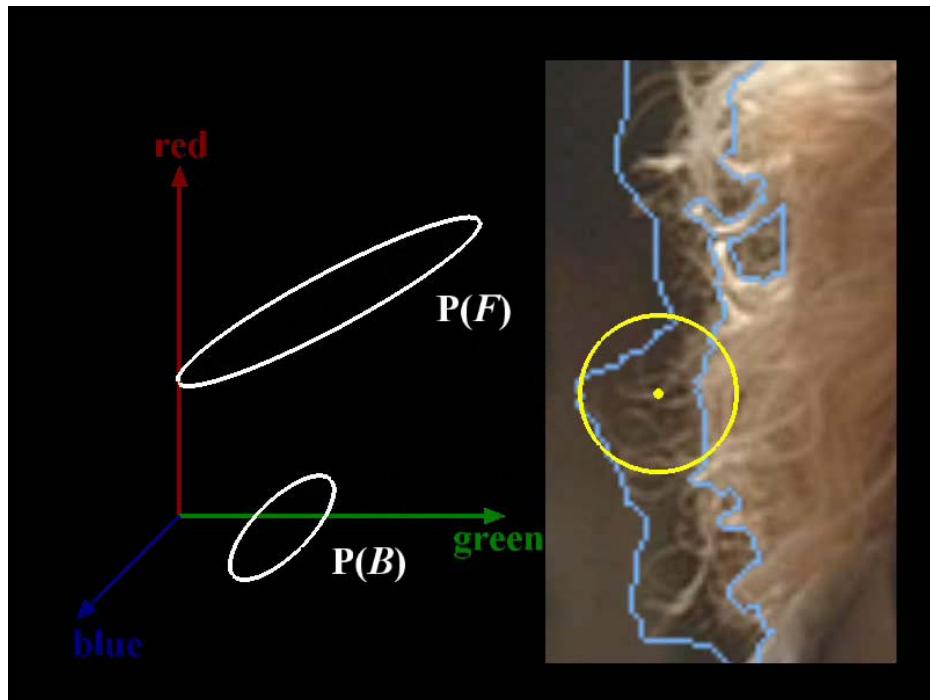
Bayesian image matting

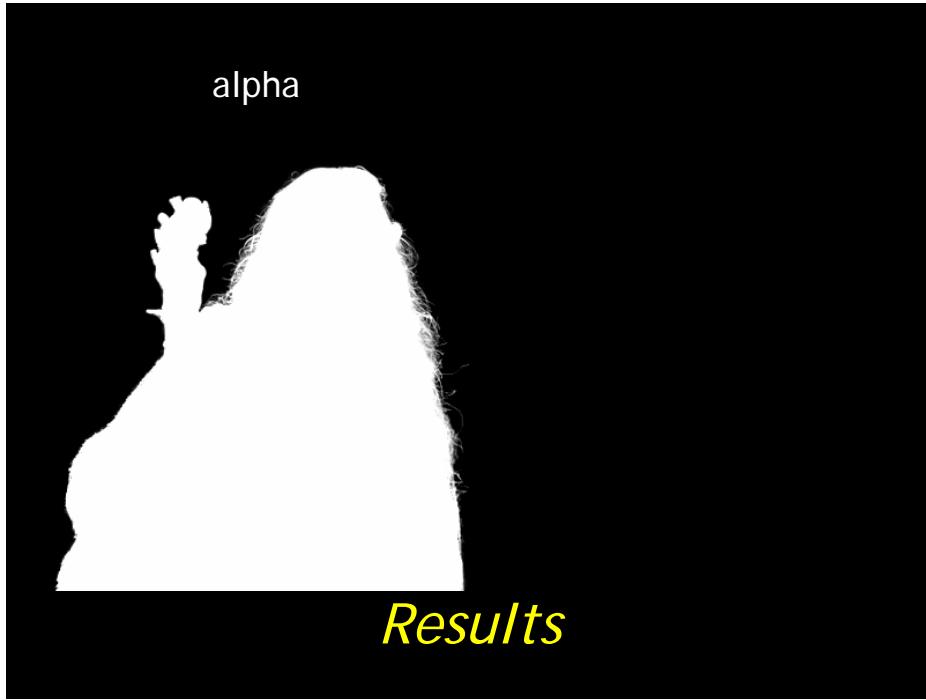


Bayesian image matting

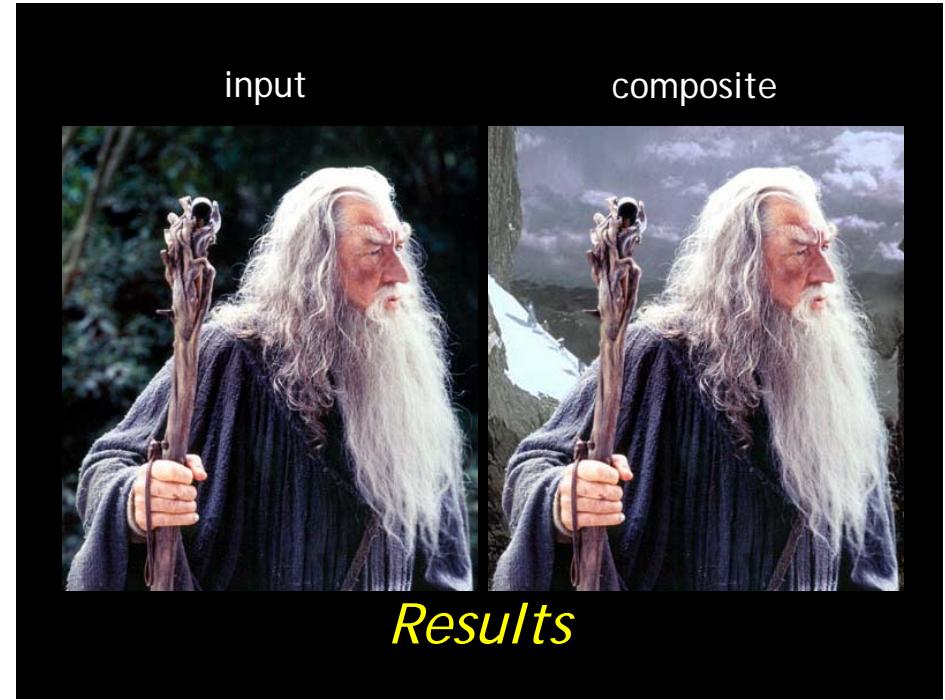




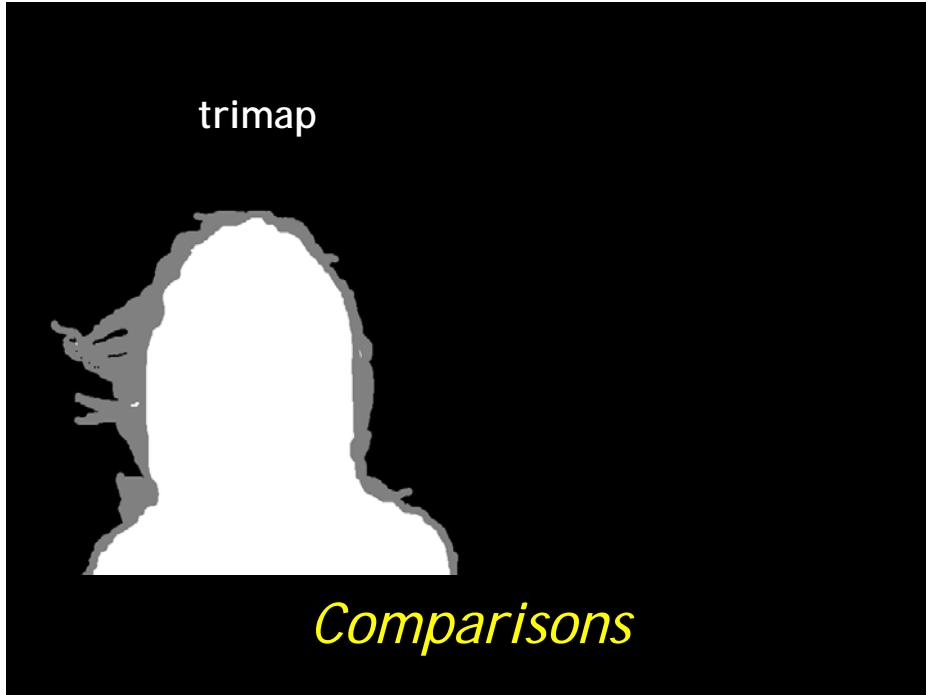




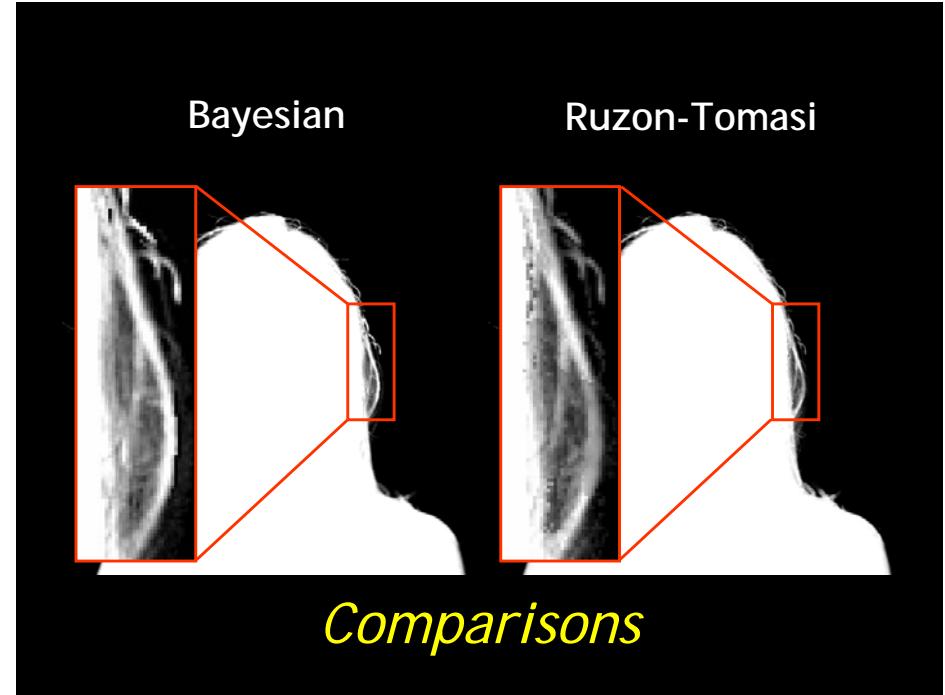
Results



Results

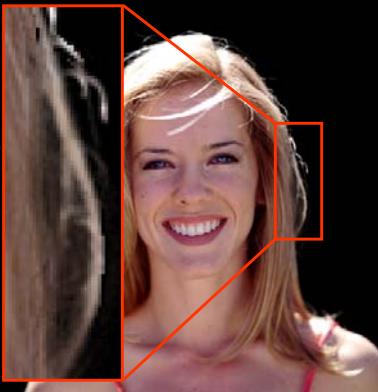


Comparisons

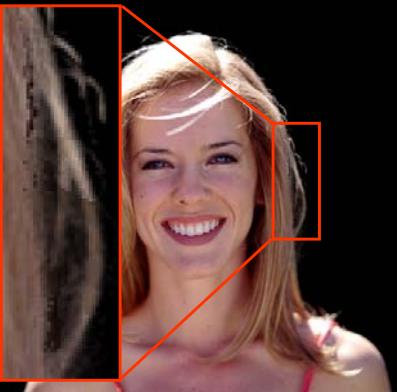


Comparisons

Bayesian



Ruzon-Tomasi



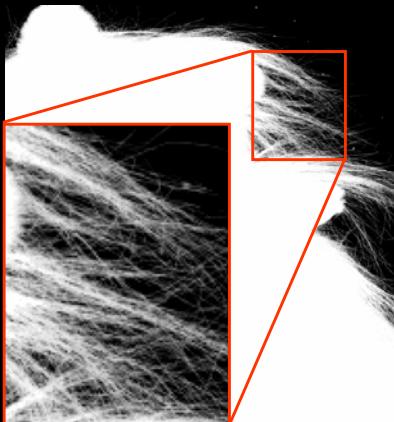
Comparisons

input image



Comparisons

Bayesian



Mishima



Comparisons

Bayesian

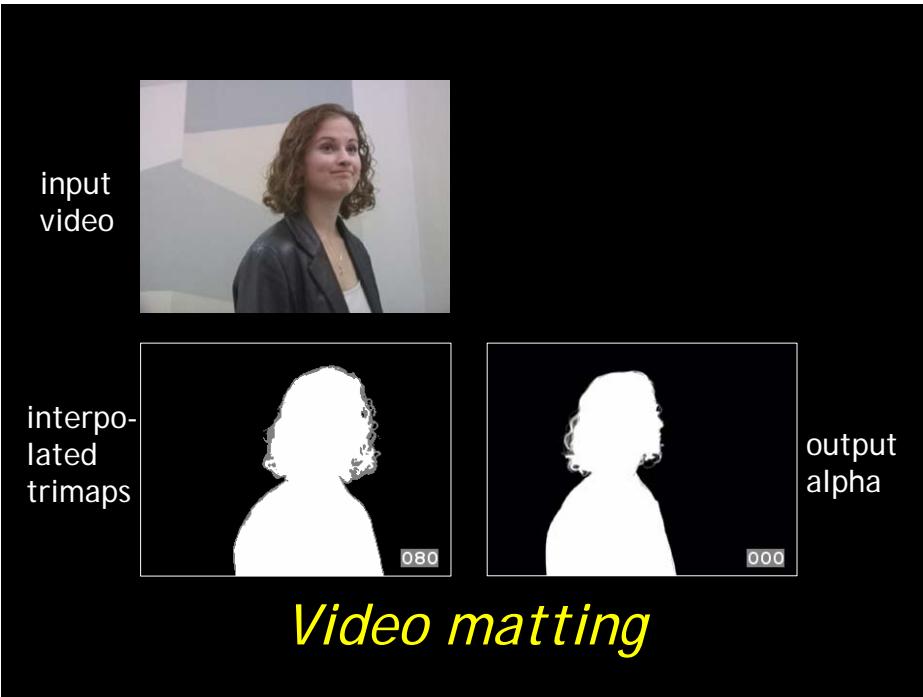


Mishima



Comparisons

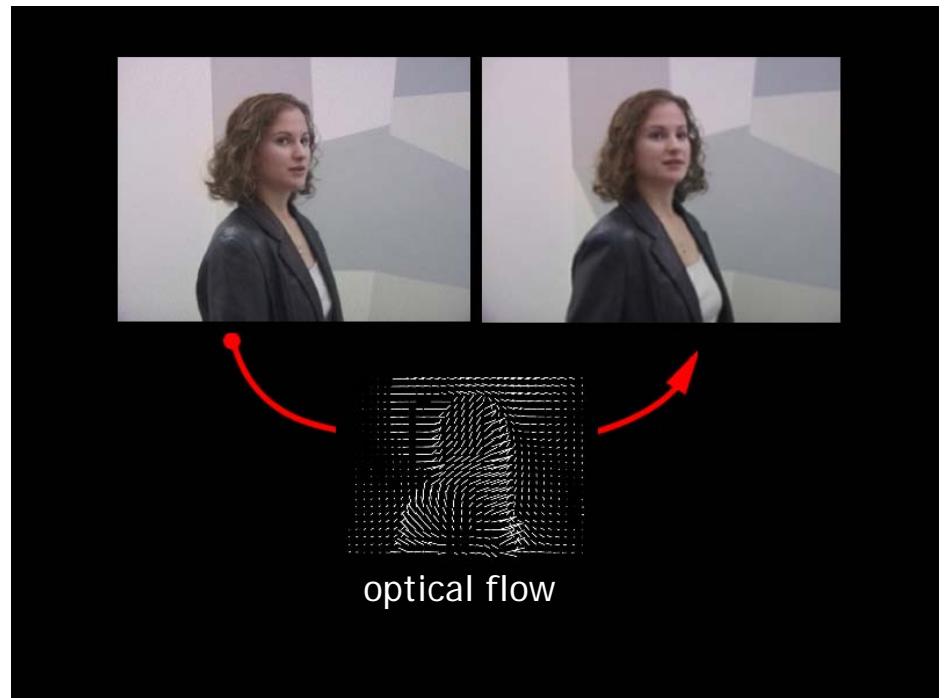
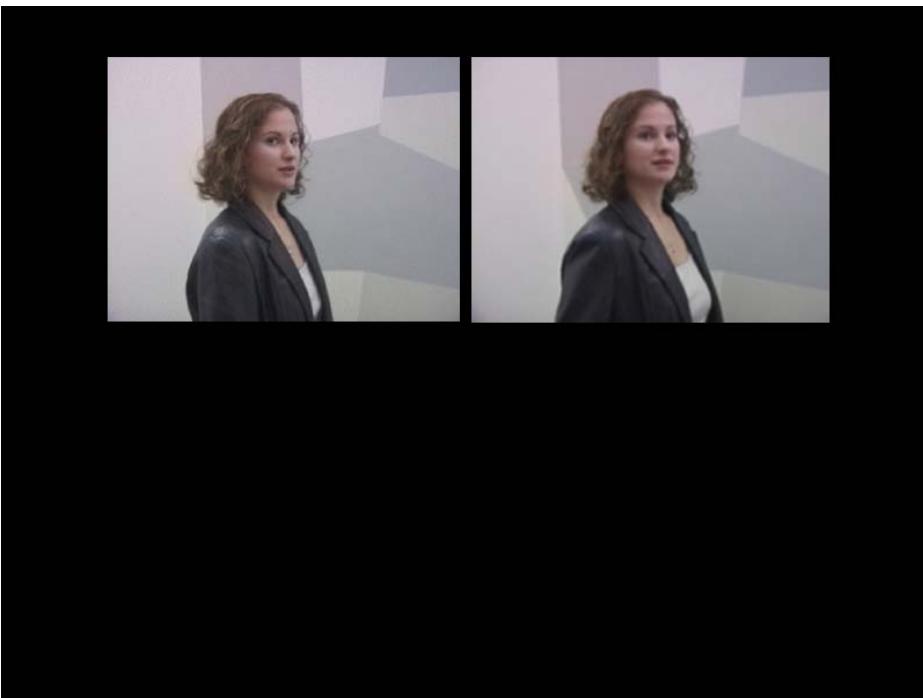


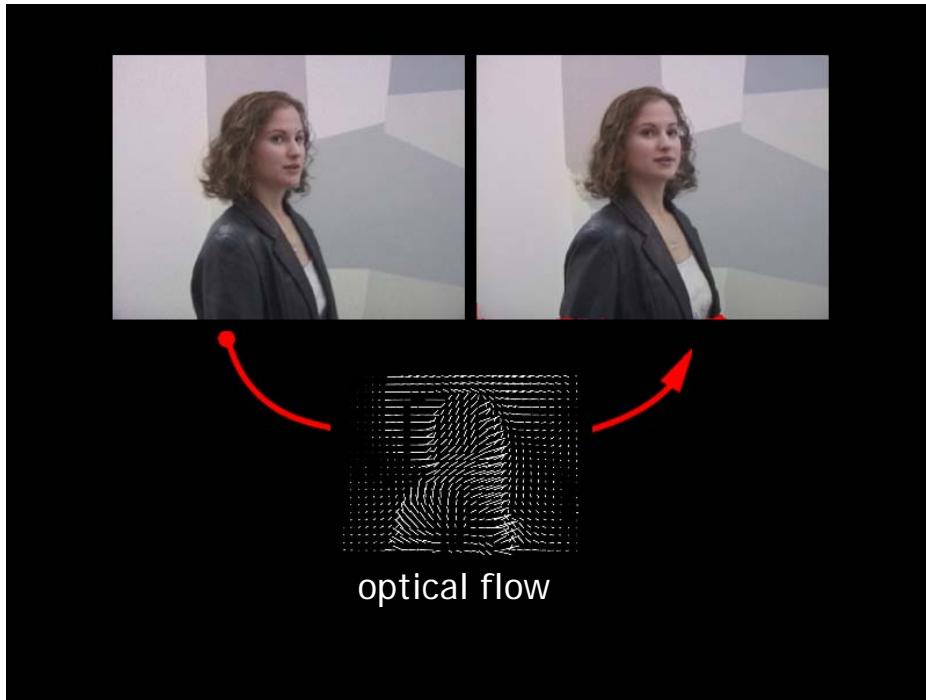


Video matting



Video matting









Garbage mattes



Sample composite



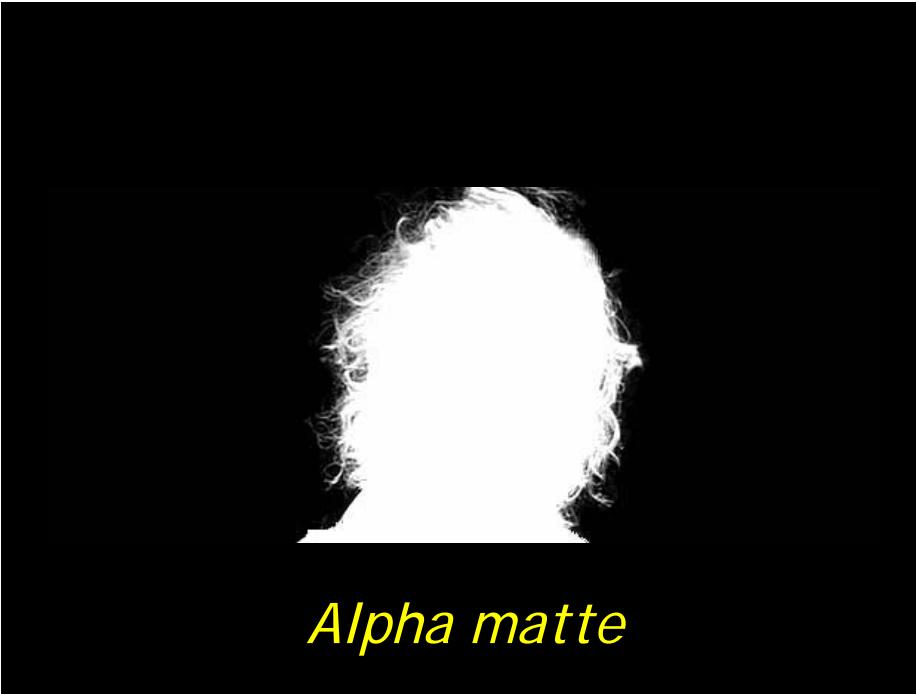
Garbage mattes



Background estimation



Background estimation



Alpha matte



*without
background*

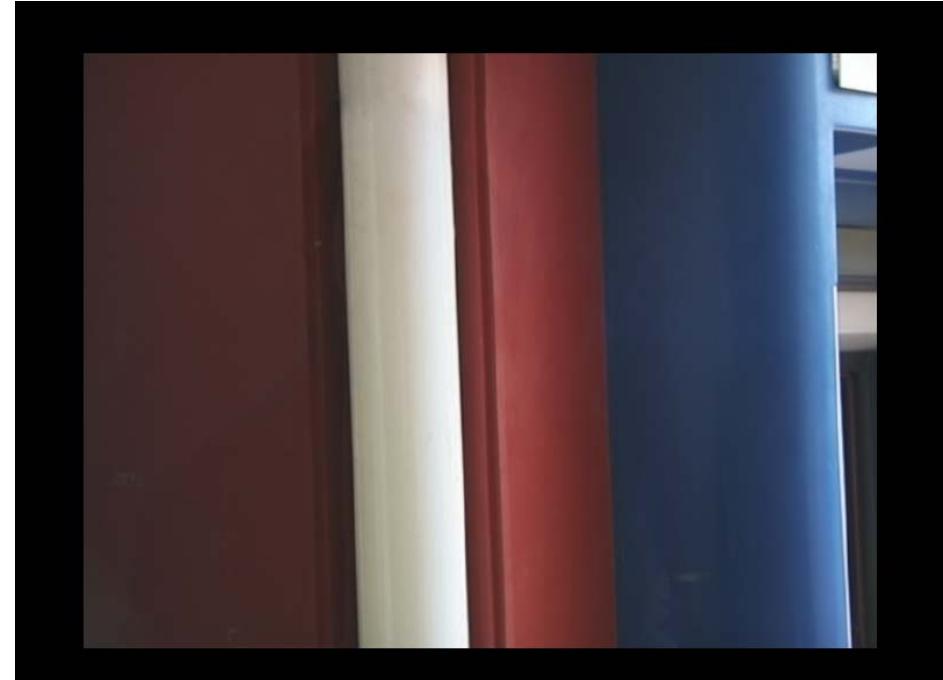
*with
background*

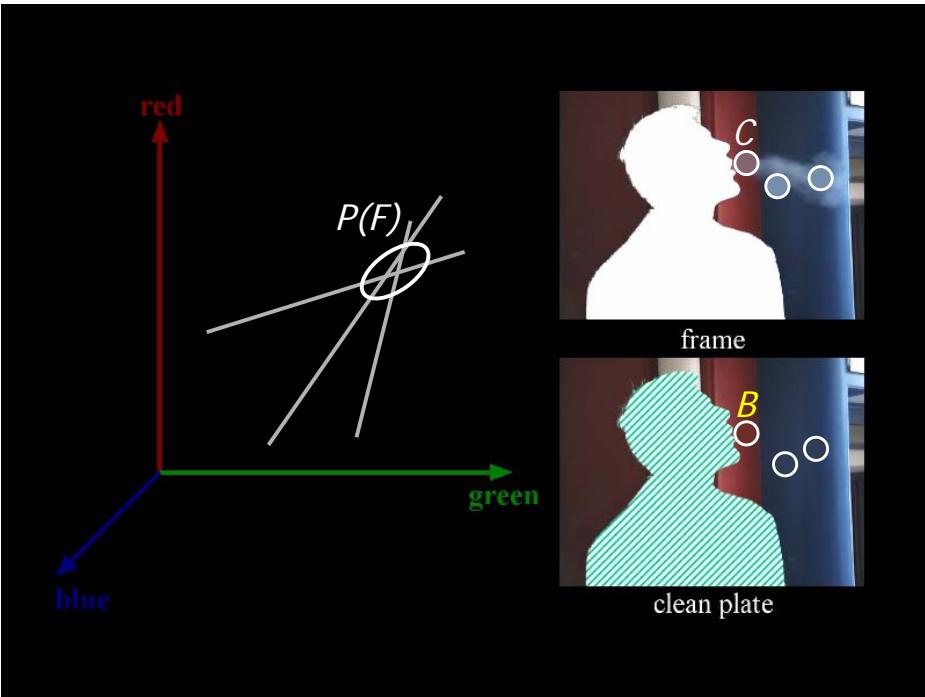
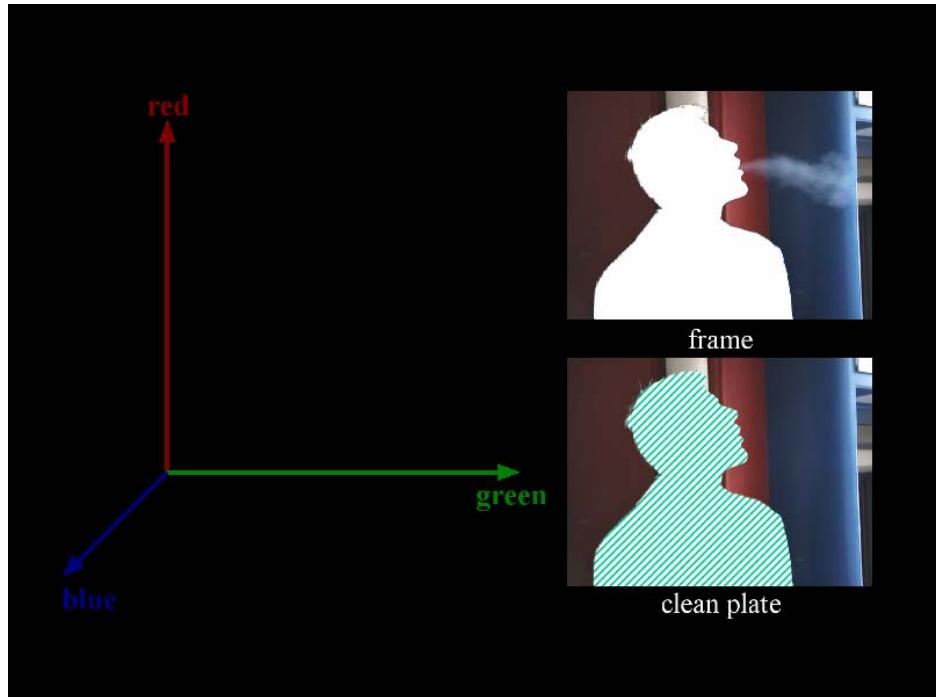
Comparison

input



composite







Recent progresses on matting

- Poisson matting
- Two-camera matting methods
- Flash matting

$$I = \alpha F + (1 - \alpha)B$$

$$\nabla I = (F - B)\nabla\alpha + \alpha\nabla F + (1 - \alpha)\nabla B$$

$$\nabla\alpha \approx \frac{1}{F - B}\nabla I$$

$$\alpha^* = \arg \min_{\alpha} \int \int_{p \in \Omega} ||\nabla\alpha_p - \frac{1}{F_p - B_p}\nabla I_p||^2 dp$$

Poisson matting



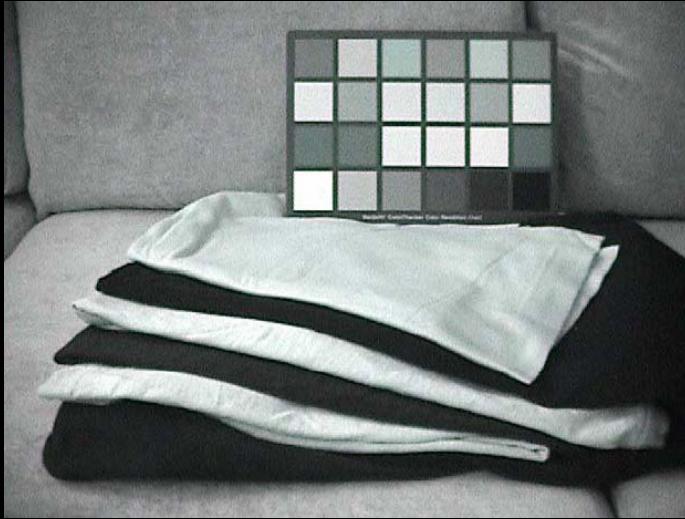
Poisson matting

Two-camera matting methods

- Invisible lights
 - Polarized lights
 - Infrared
- Thermo-key
- Depth Keying (ZCam)



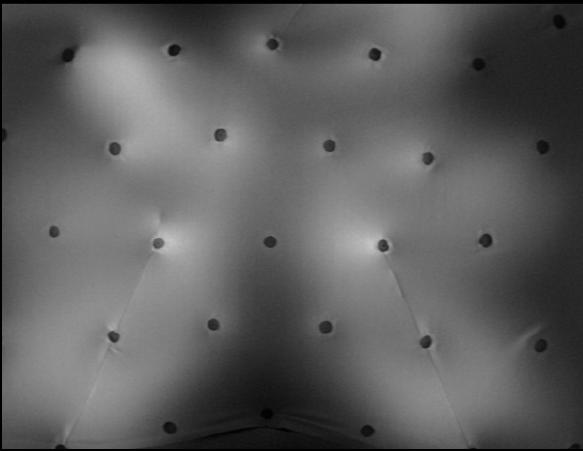
Invisible lights (Infared)



Invisible lights (Infared)



Invisible lights (Infared)



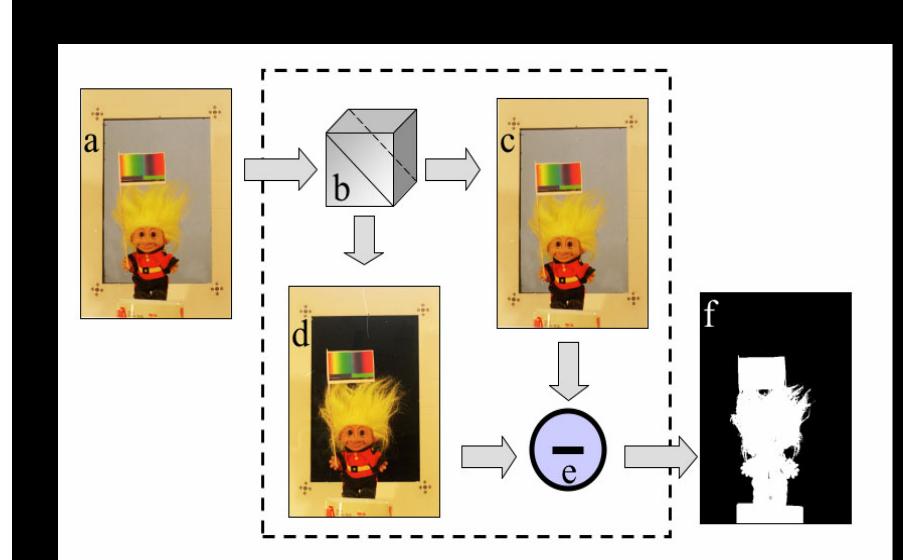
Invisible lights (Infared)



Invisible lights (Infared)



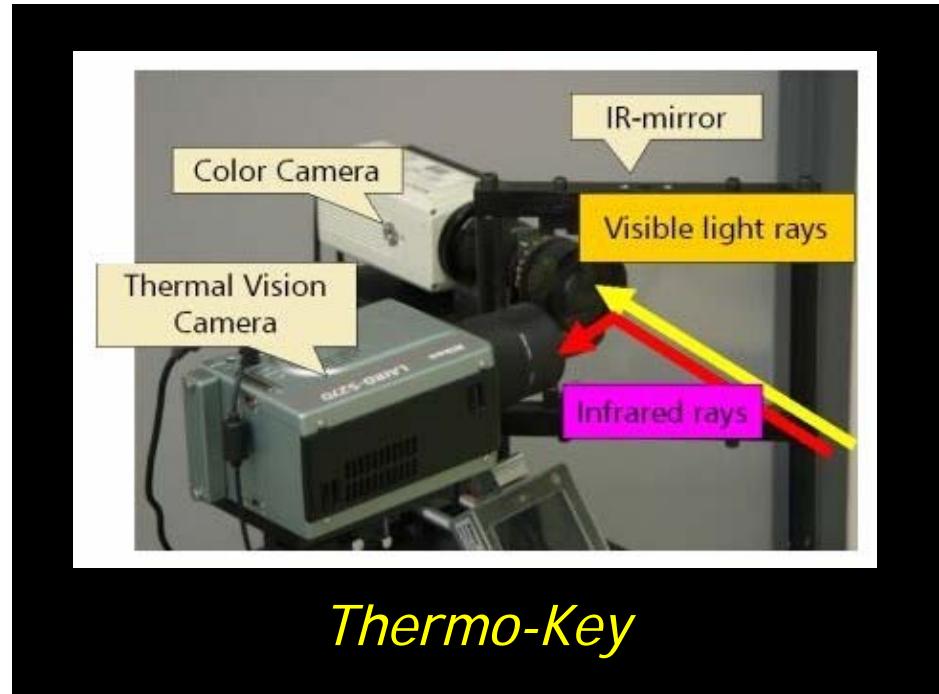
Invisible lights (Infared)



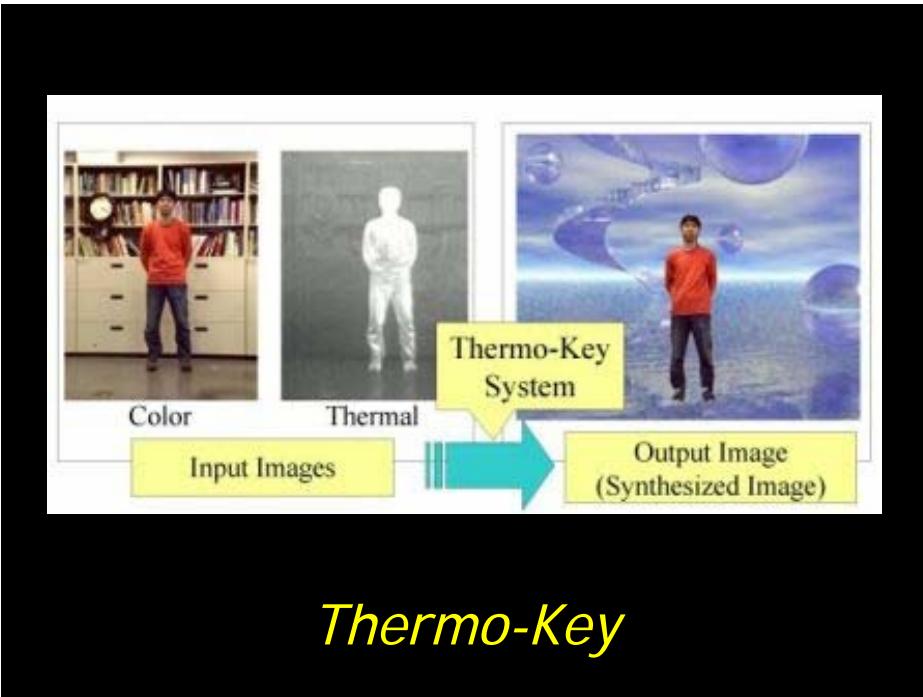
Invisible lights (Polarized)



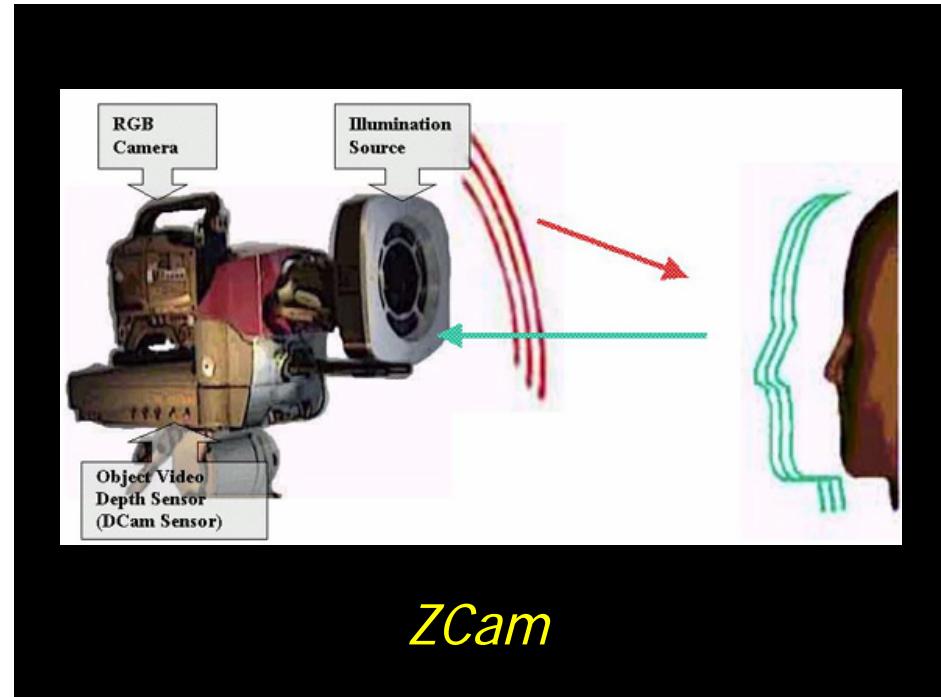
Invisible lights (Polarized)



Thermo-Key



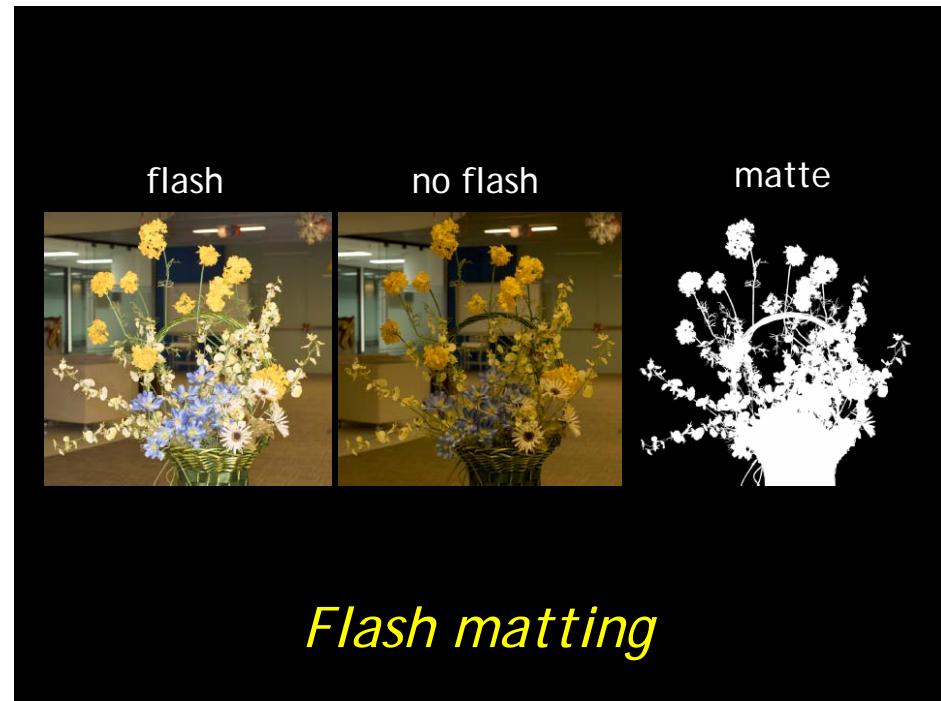
Thermo-Key



ZCam



ZCam



Flash matting

$$\begin{aligned} I &= \alpha F + (1 - \alpha) B, \\ I^f &= \alpha F^f + (1 - \alpha) B^f, \end{aligned}$$

Background is much further than foreground and receives almost no flash light

$$B^f \approx B$$

$$I^f = \alpha F^f + (1 - \alpha) B$$

Flash matting

Foreground flash matting equation

$$I' = I^f - I = \alpha(F^f - F) = \alpha F'$$

Generate a trimap and directly apply Bayesian matting.

$$\begin{aligned} &\arg \max_{\alpha, F'} L(\alpha, F' | I') \\ &= \arg \max_{\alpha, F'} \{L(I' | \alpha, F') + L(F') + L(\alpha)\} \\ L(I' | \alpha, F') &= -||I' - \alpha F'|| / \sigma_{I'}^2, \\ L(F') &= -(F' - \bar{F'})^T \Sigma_{F'}^{-1} (F' - \bar{F'}) \end{aligned}$$

Flash matting



Foreground flash matting

$$\begin{aligned} I &= \alpha F + (1 - \alpha) B \\ I' &= \alpha F' \end{aligned}$$

$$\begin{aligned} &\arg \max_{\alpha, F, B, F'} L(\alpha, F, B, F' | I, I') \\ &= \arg \max_{\alpha, F, B, F'} \{L(I | \alpha, F, B) + L(I' | \alpha, F') + \\ &\quad L(F) + L(B) + L(F') + L(\alpha)\} \end{aligned}$$

Joint Bayesian flash matting

$$\alpha = \frac{\sigma_{I'}^2(F - B)^T(I - B) + \sigma_I^2 F'^T I'}{\sigma_{I'}^2(F - B)^T(F - B) + \sigma_I^2 F'^T F'}$$

$$\begin{bmatrix} \Sigma_F^{-1} + \mathbf{I}\alpha^2/\sigma_I^2 & \mathbf{I}\alpha(1-\alpha)\sigma_I^2 & \mathbf{0} \\ \mathbf{I}\alpha(1-\alpha)\sigma_I^2 & \Sigma_B^{-1} + \mathbf{I}\alpha^2/\sigma_I^2 & \mathbf{0} \\ \mathbf{0} & \mathbf{0} & \Sigma_{F'}^{-1} + \mathbf{I}\alpha^2/\sigma_{I'}^2 \end{bmatrix} \begin{bmatrix} F \\ B \\ F' \end{bmatrix} \\ = \begin{bmatrix} \Sigma_F^{-1}\bar{F} + I\alpha/\sigma_I^2 \\ \Sigma_B^{-1}\bar{B} + I(1-\alpha)/\sigma_I^2 \\ \Sigma_{F'}^{-1}\bar{F'} + I'\alpha/\sigma_{I'}^2 \end{bmatrix},$$

Joint Bayesian flash matting

flash



no flash



Comparison

foreground
flash matting

joint Bayesian
flash matting



Comparison



Flash matting

*Shadow matting
and composting*

source scene



target background



blue screen image



target background



blue screen composite



target background



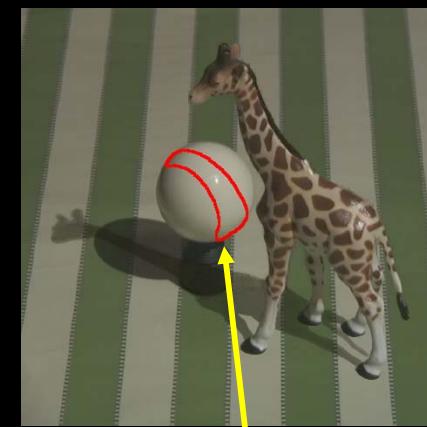
blue screen composite



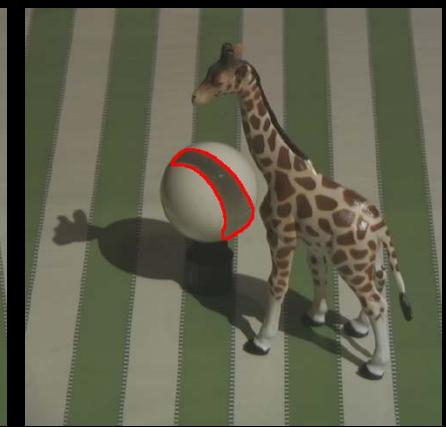
photograph



blue screen composite

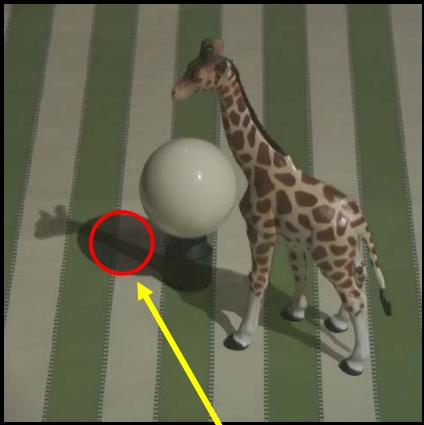


photograph



Geometric errors

blue screen composite

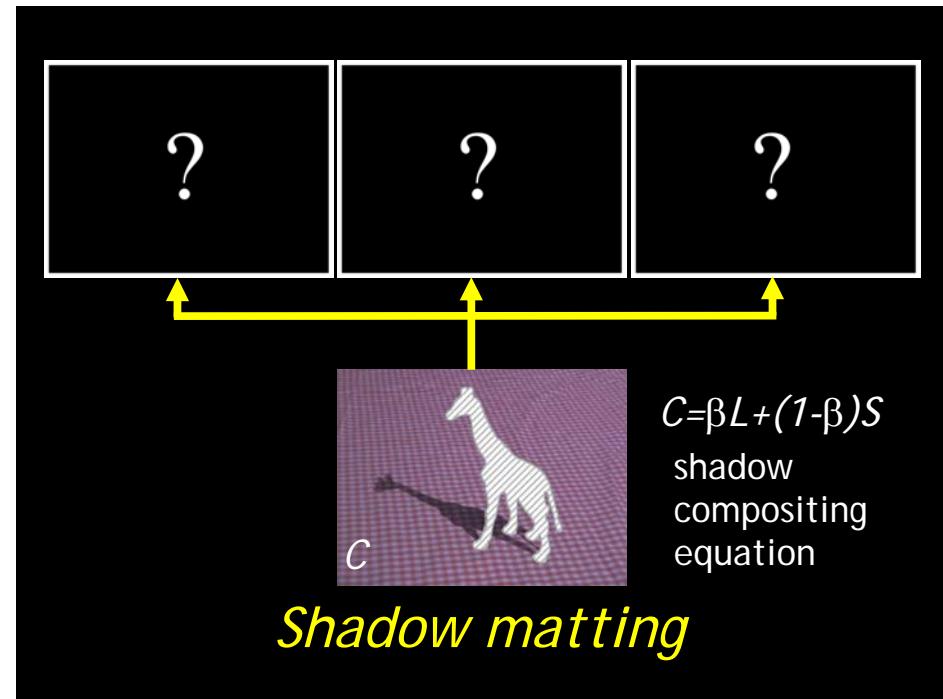
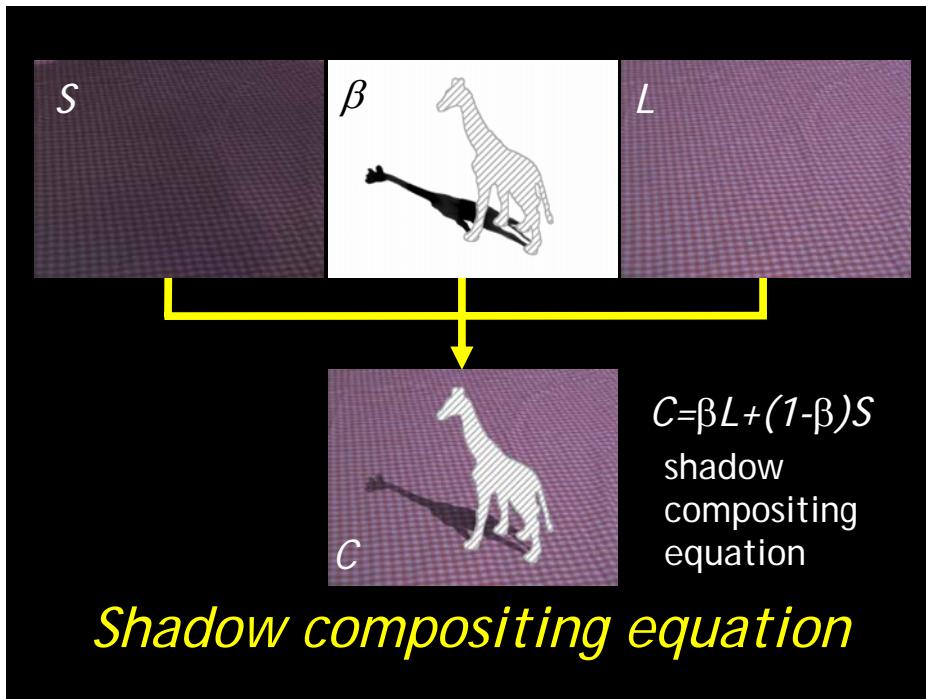
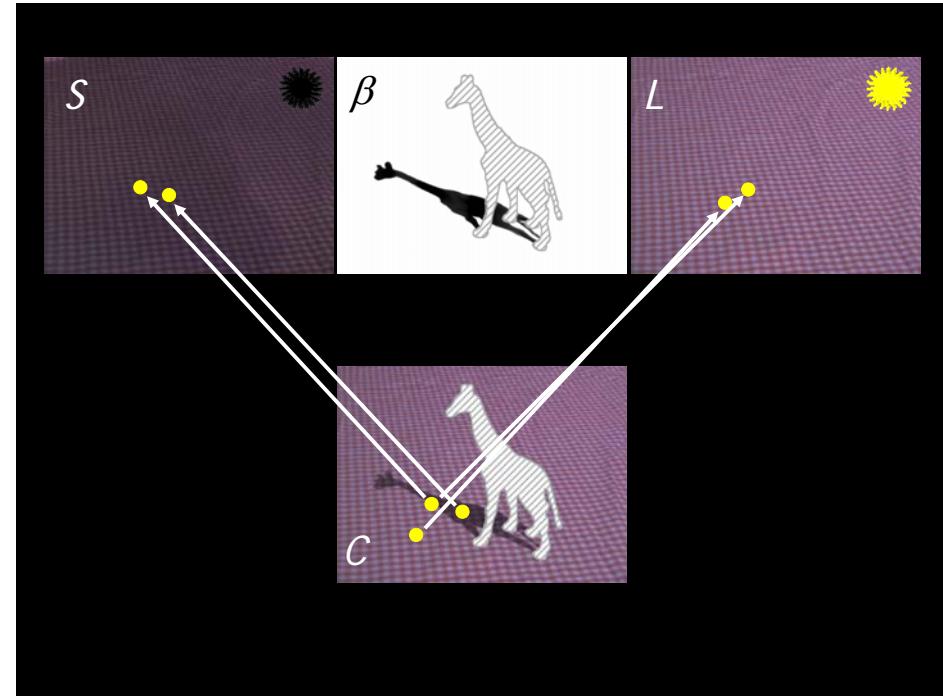
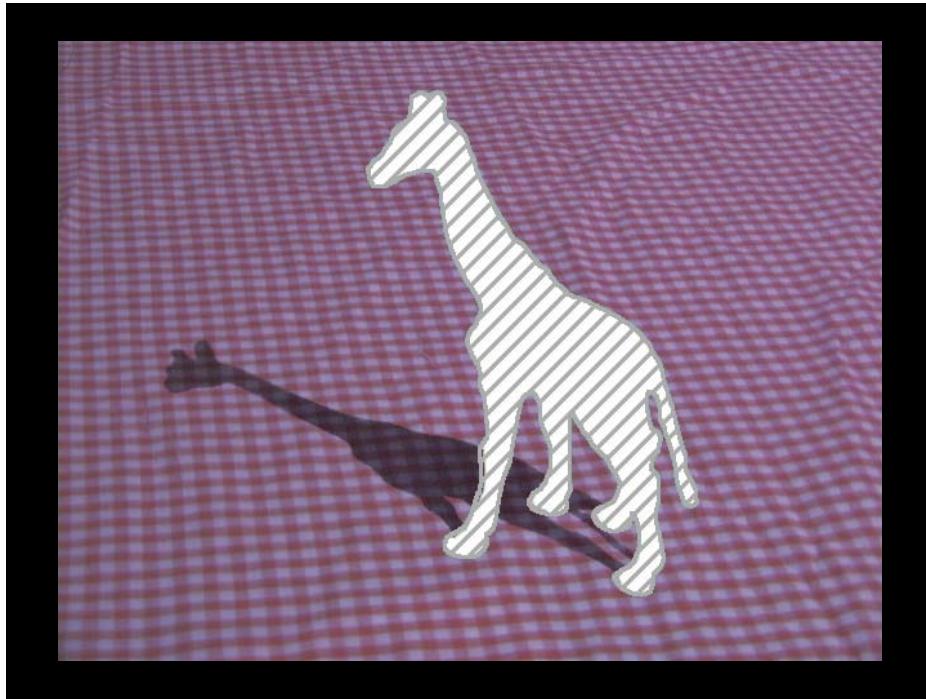


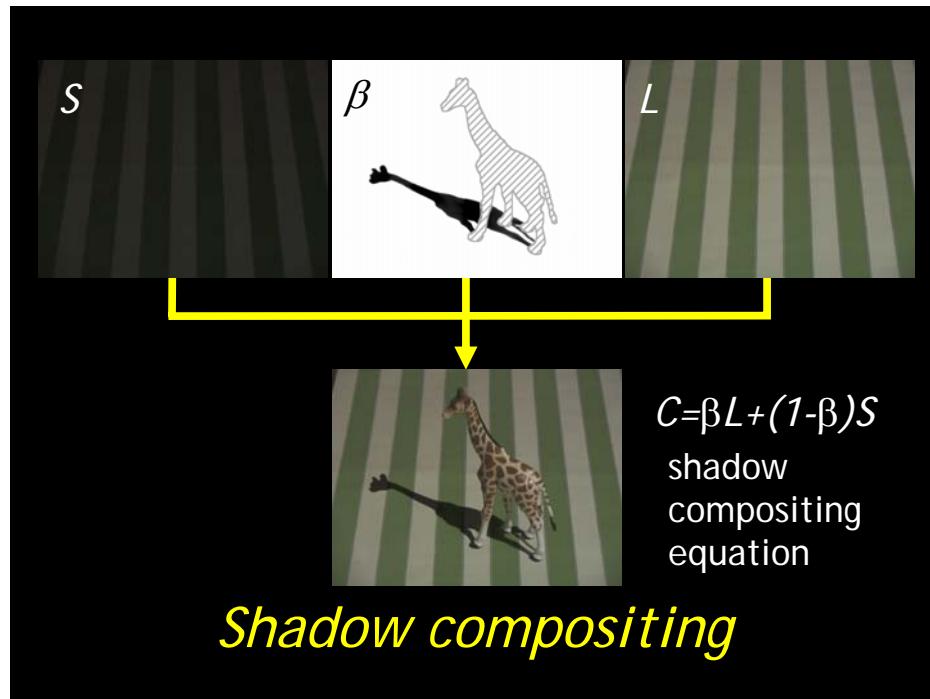
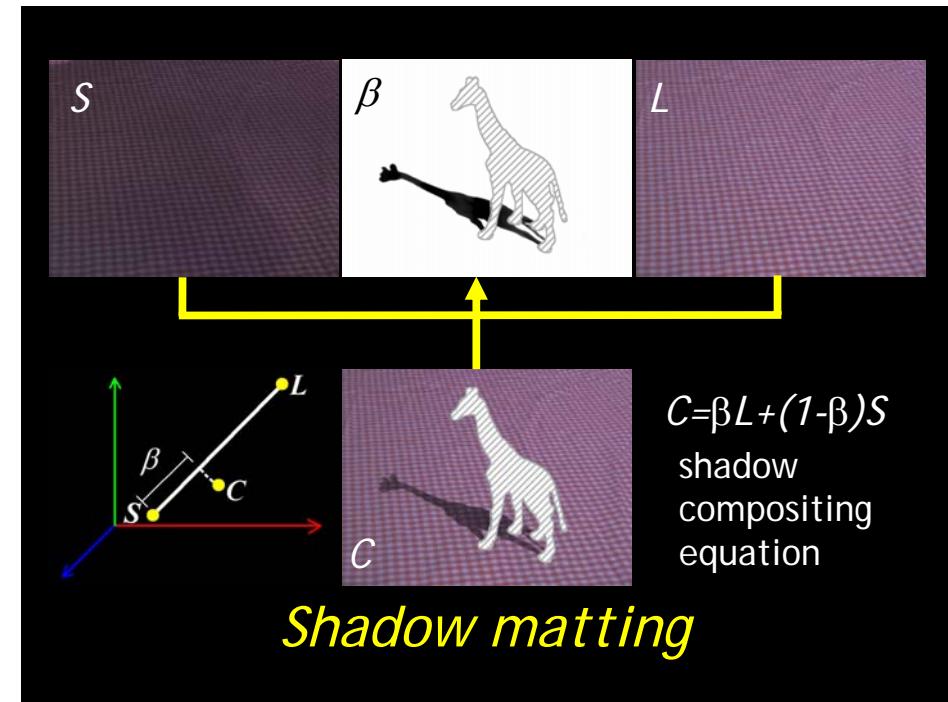
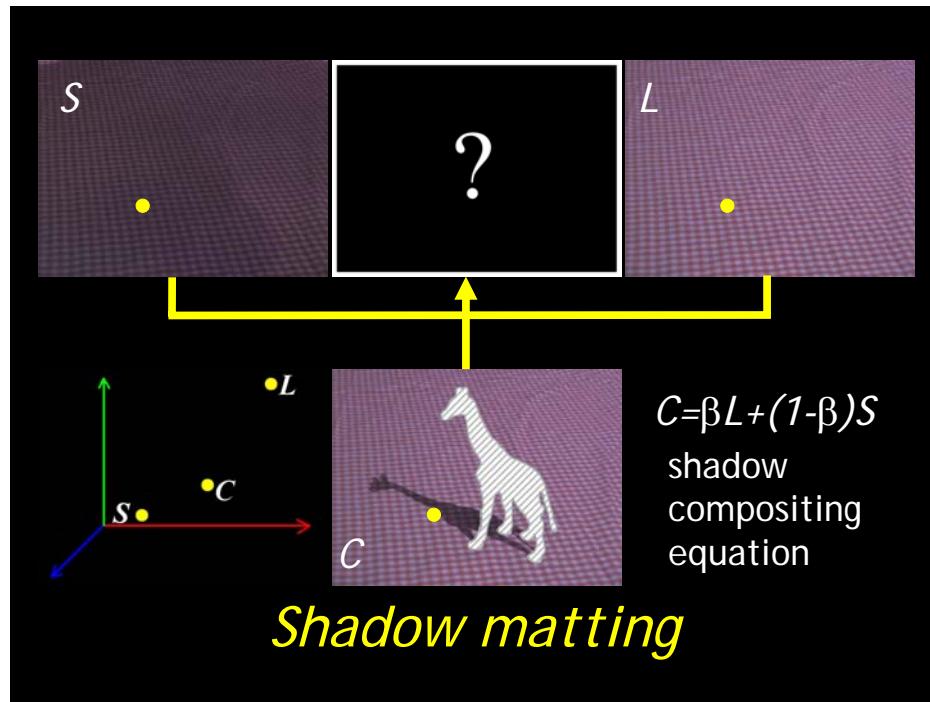
photograph

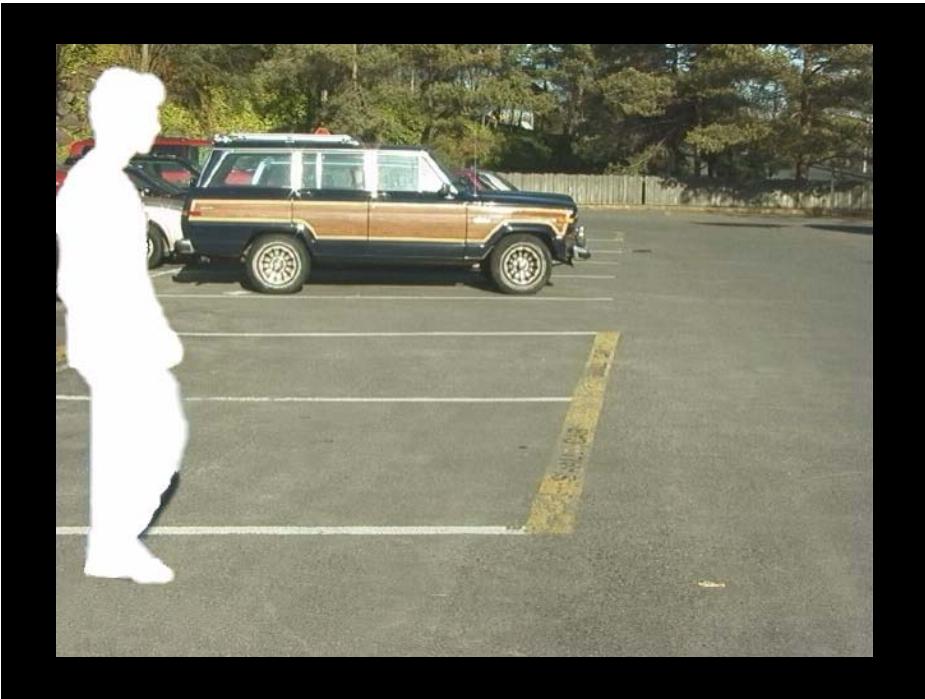


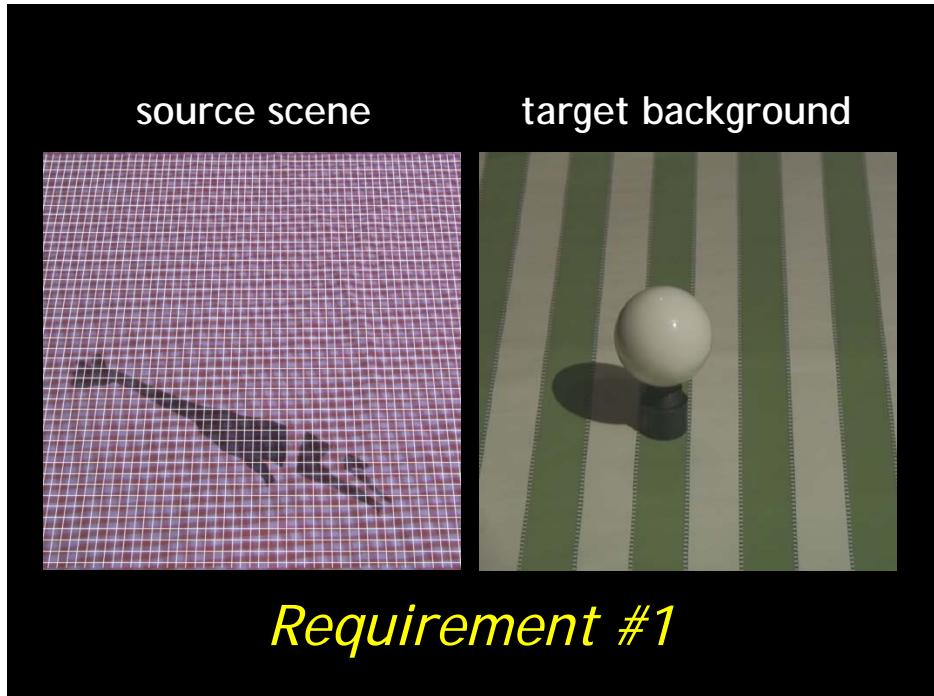
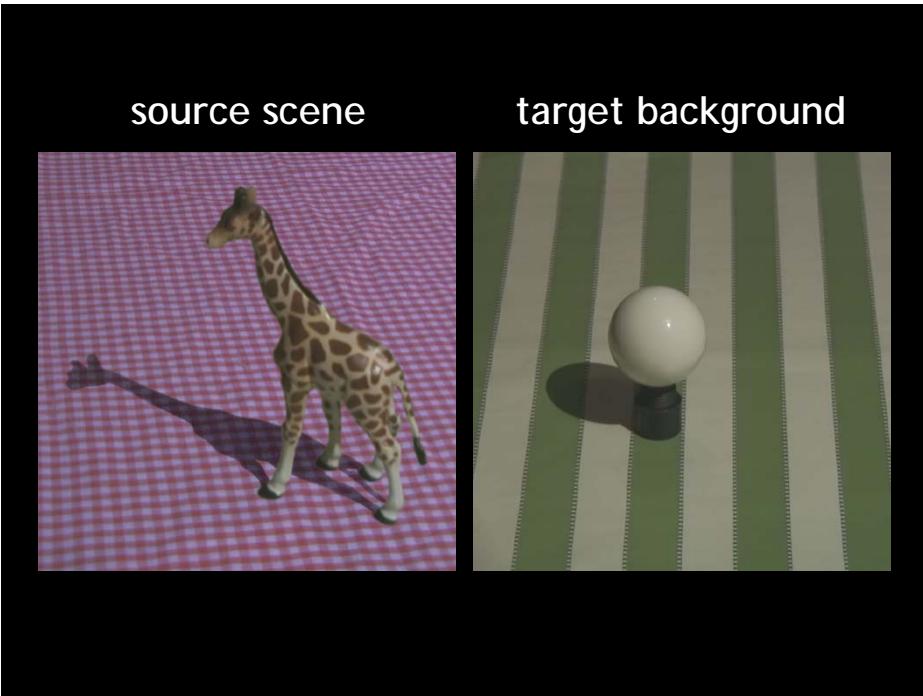
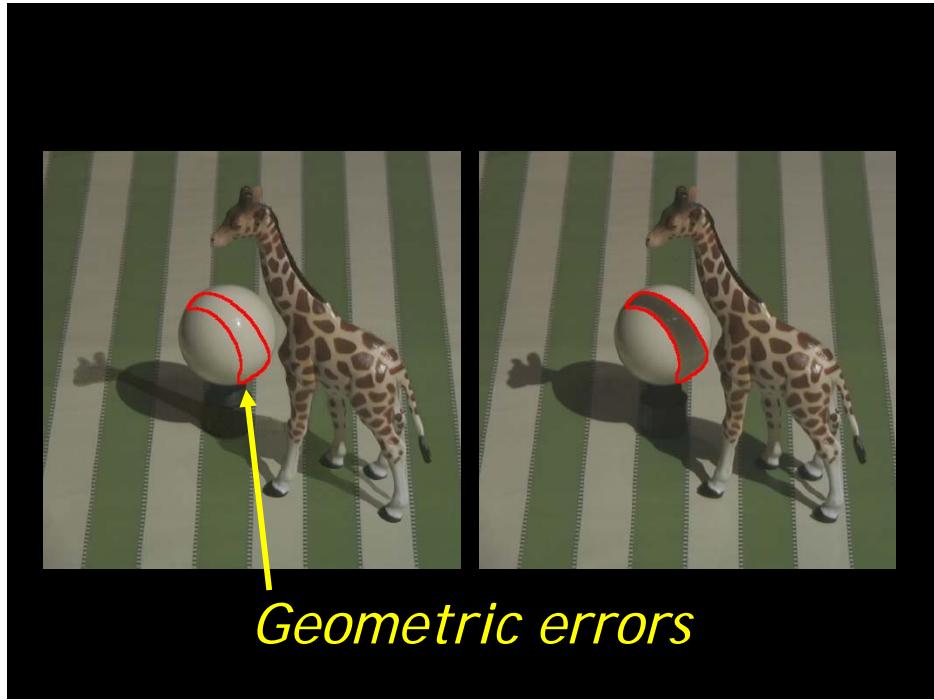
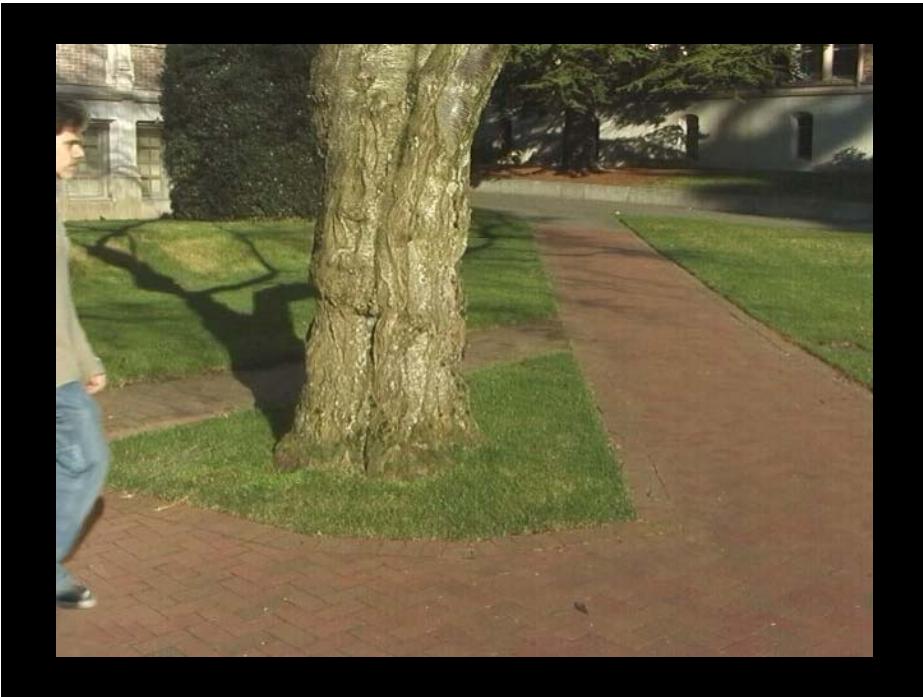
Photometric errors



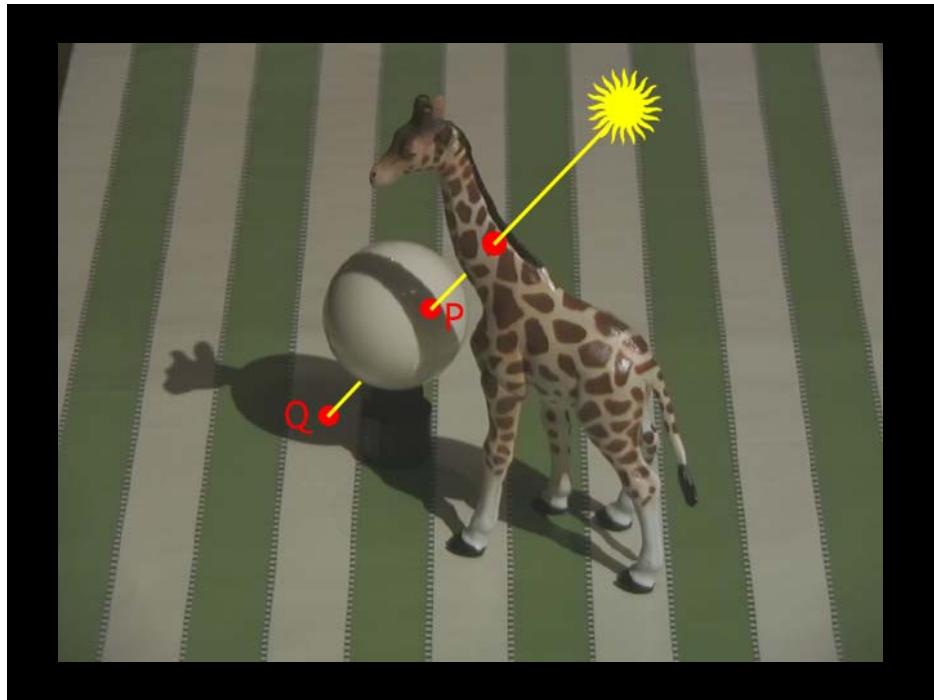
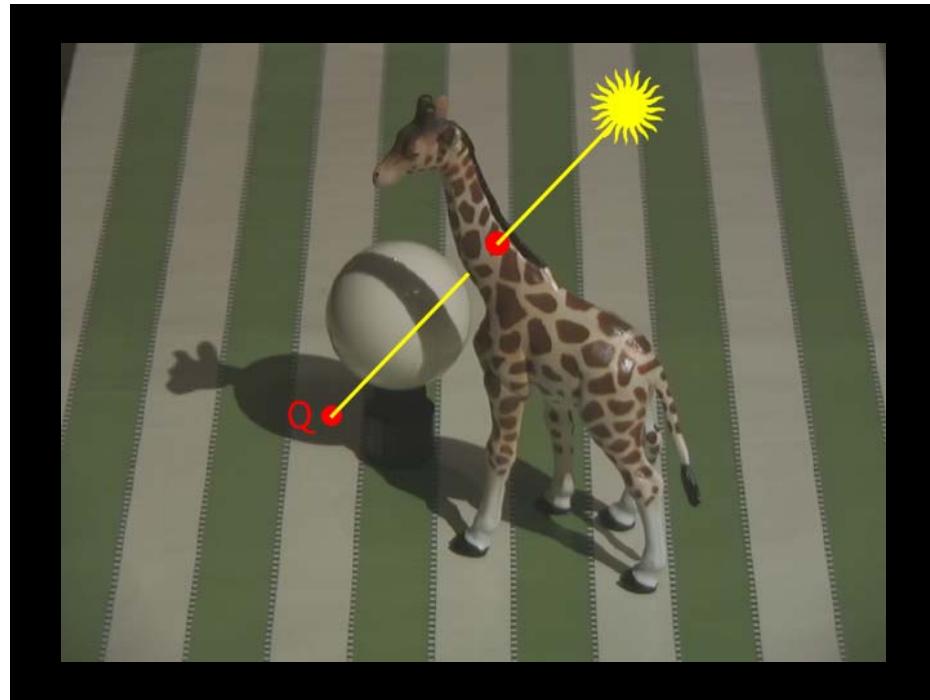
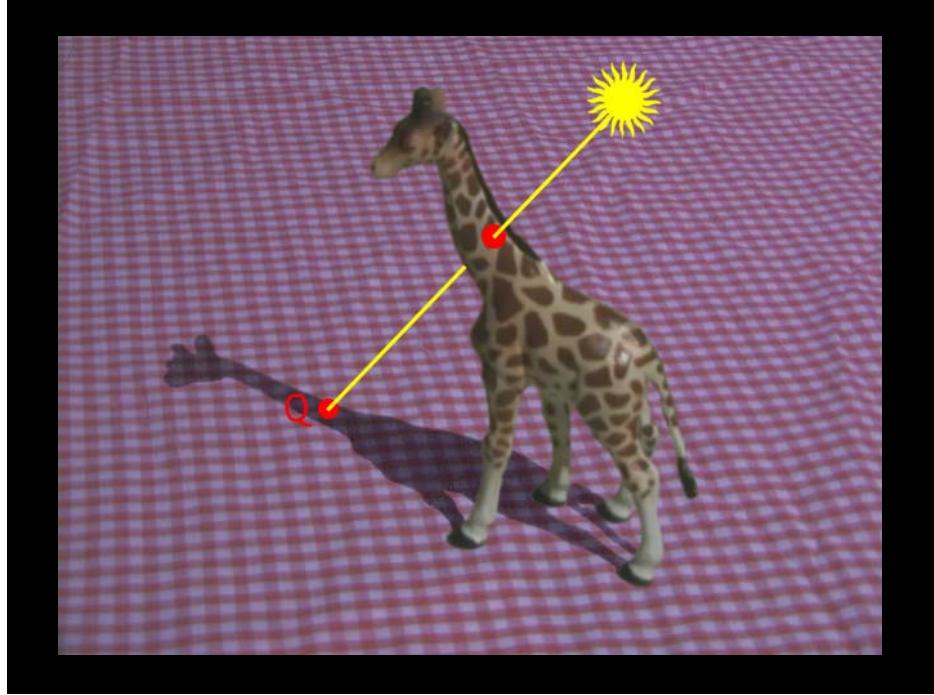
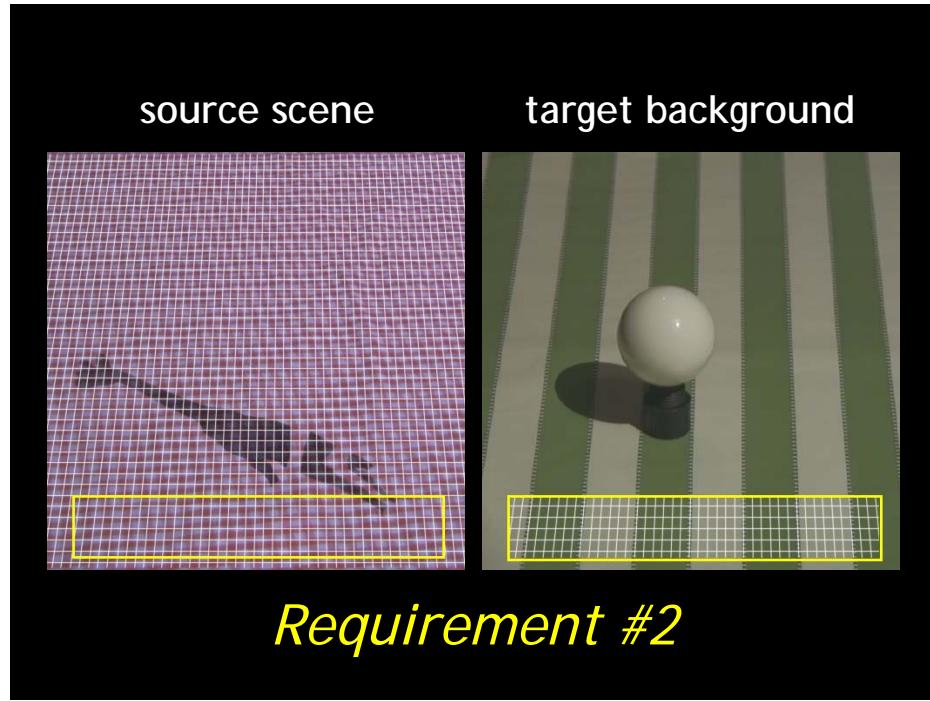


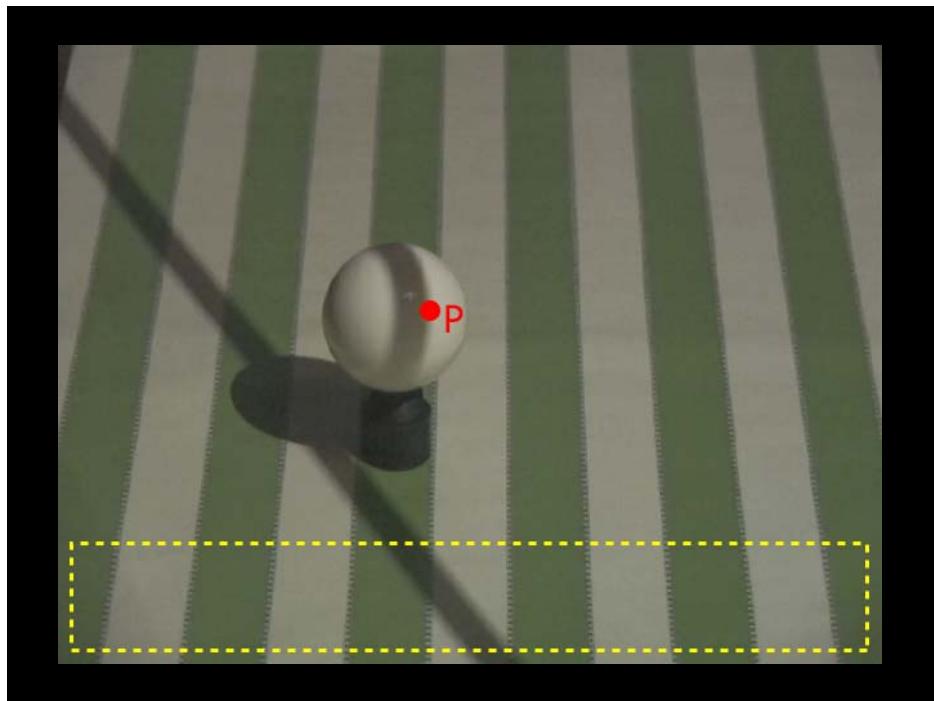
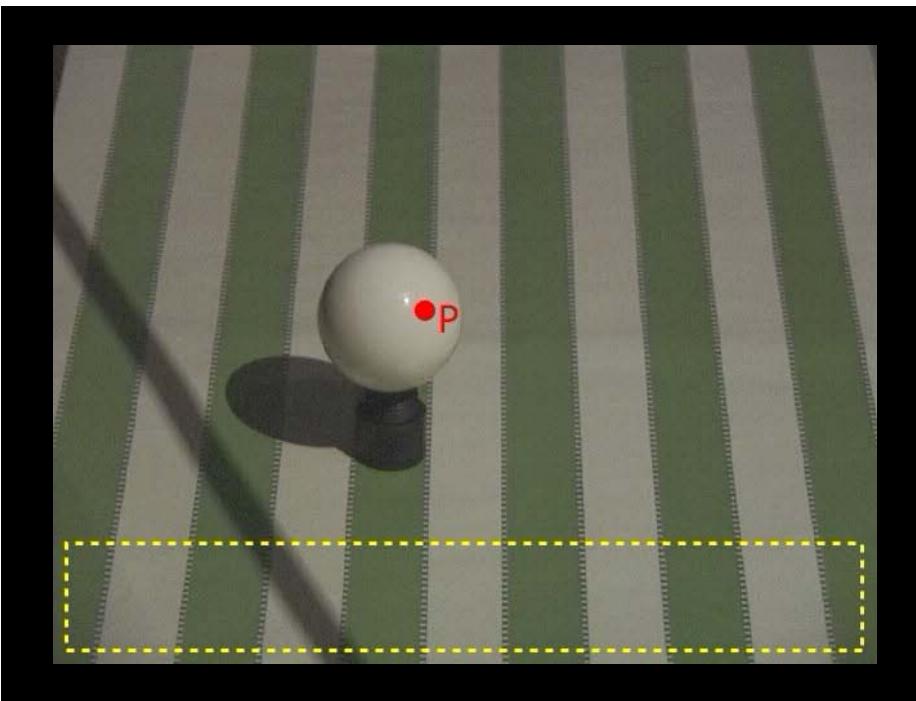
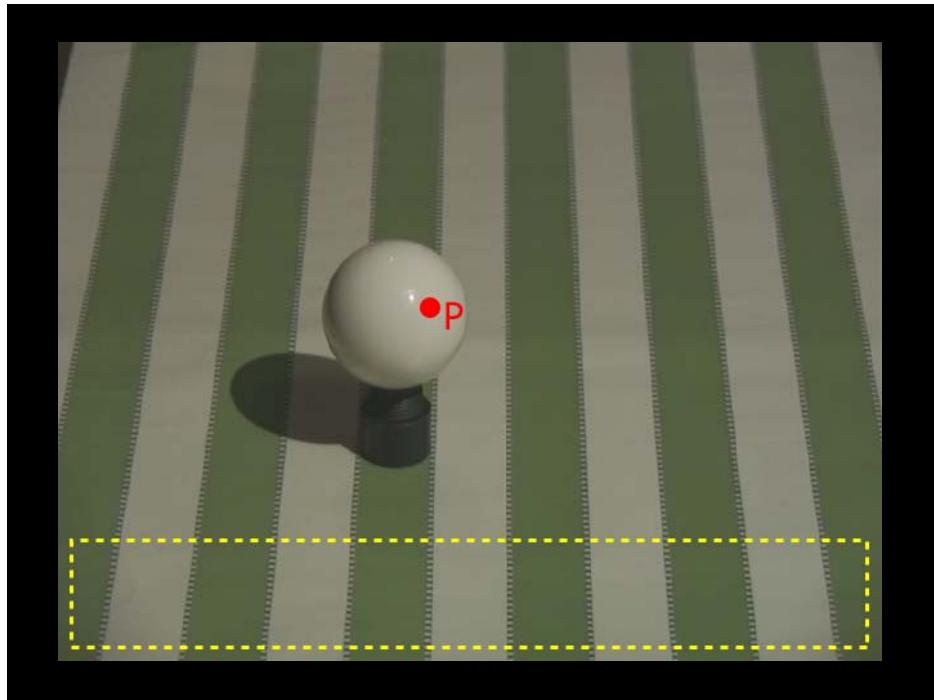
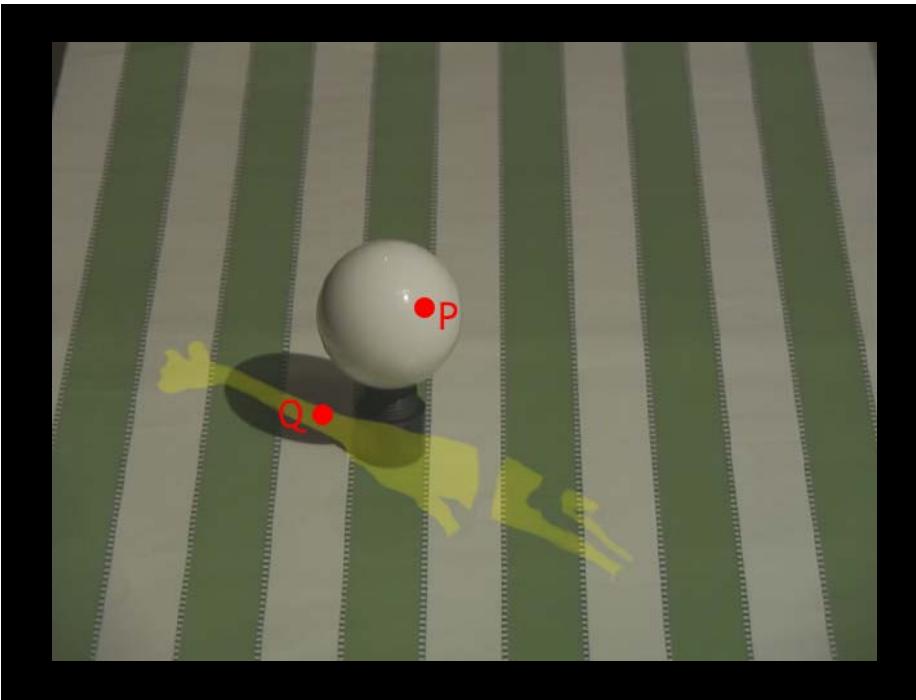


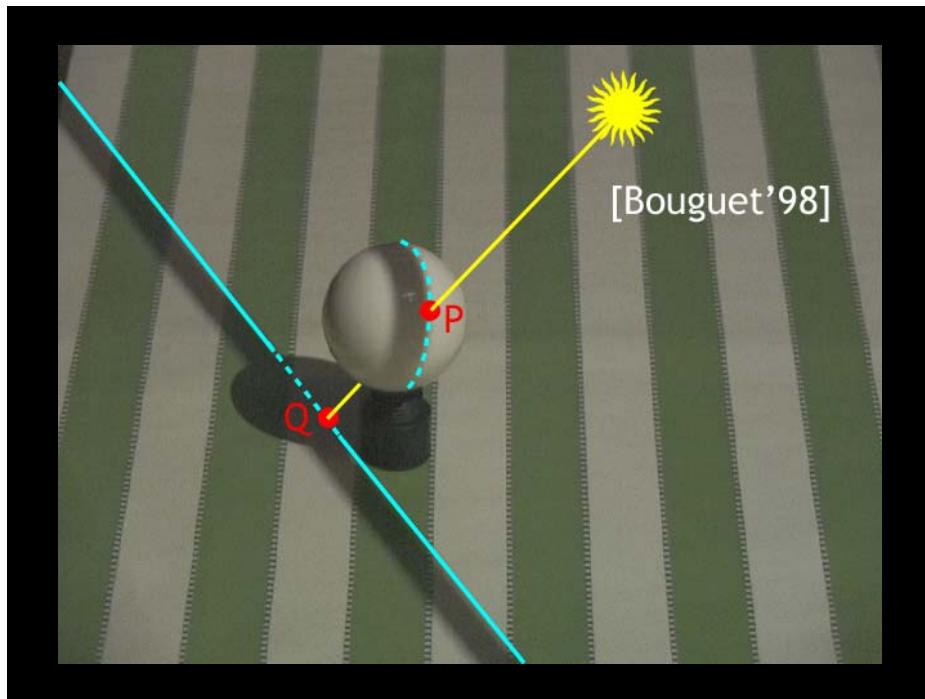
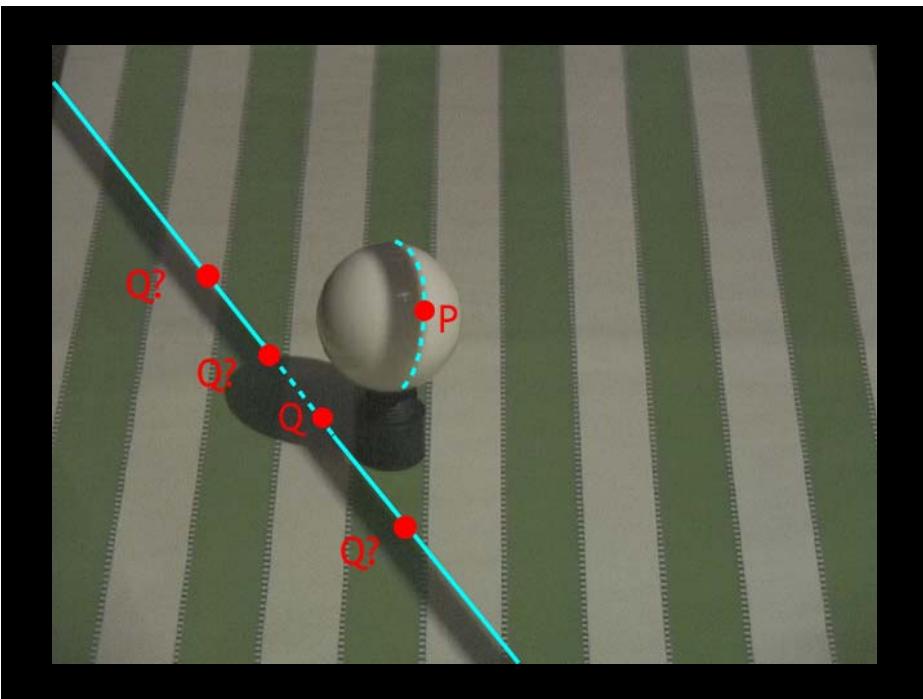
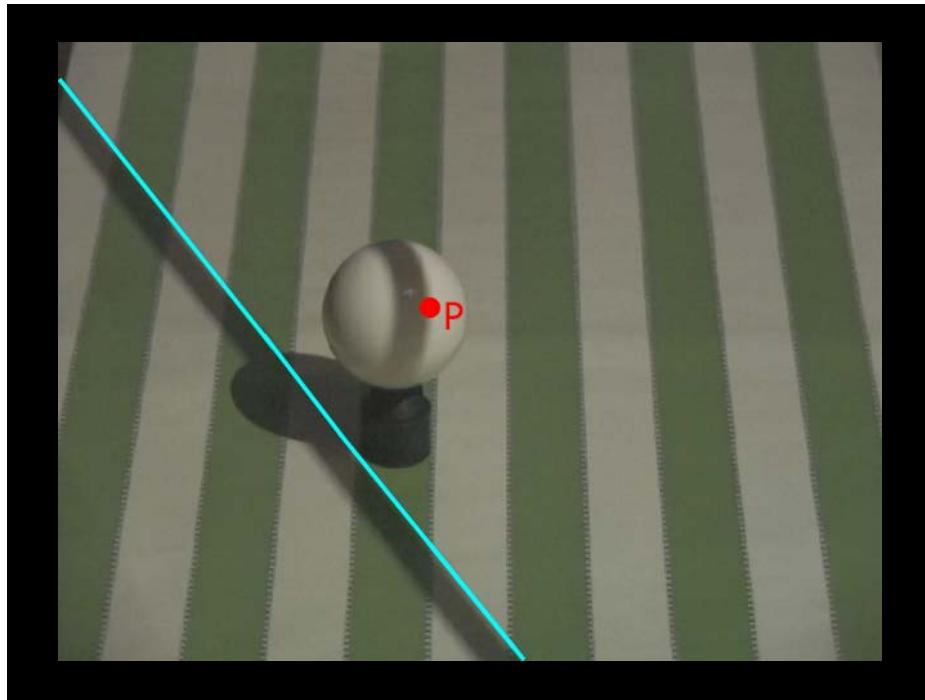
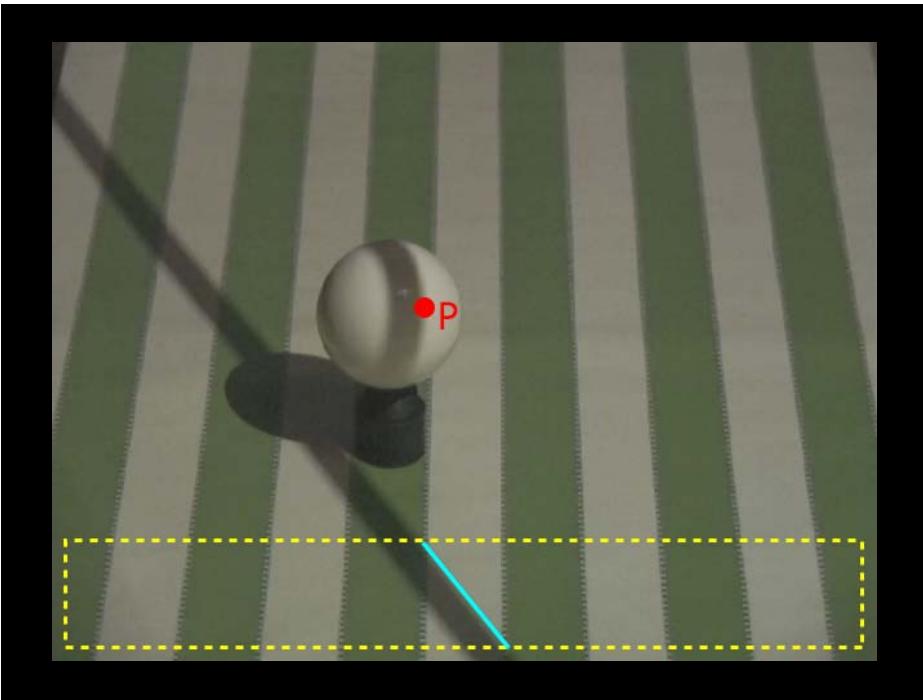


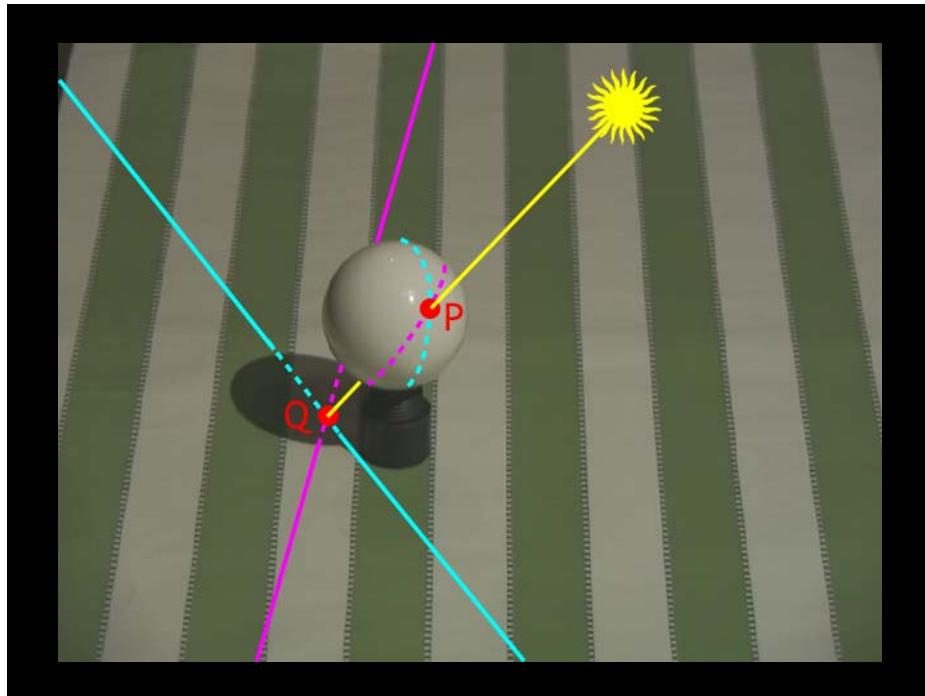
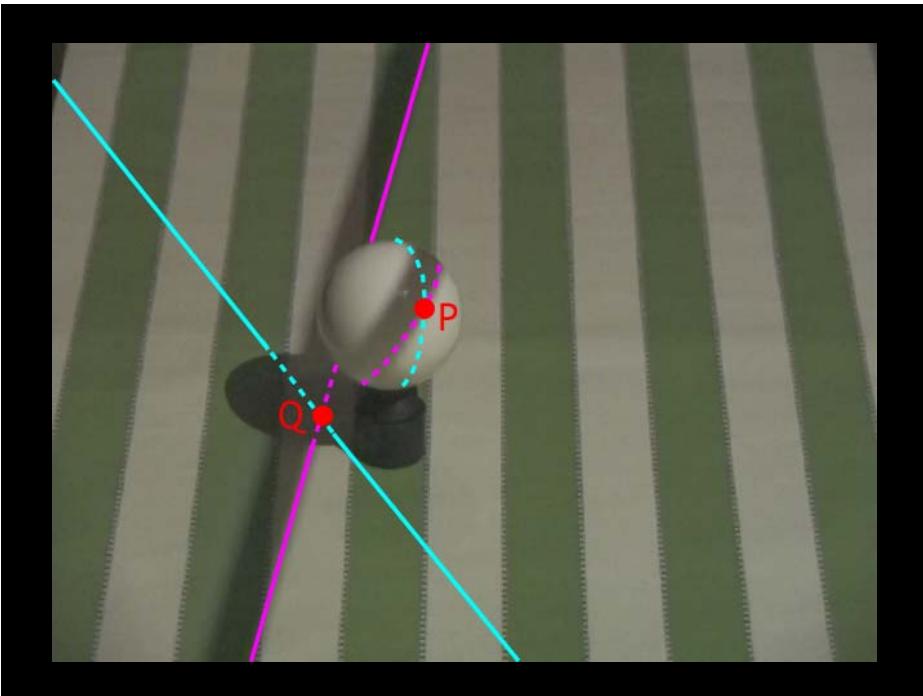
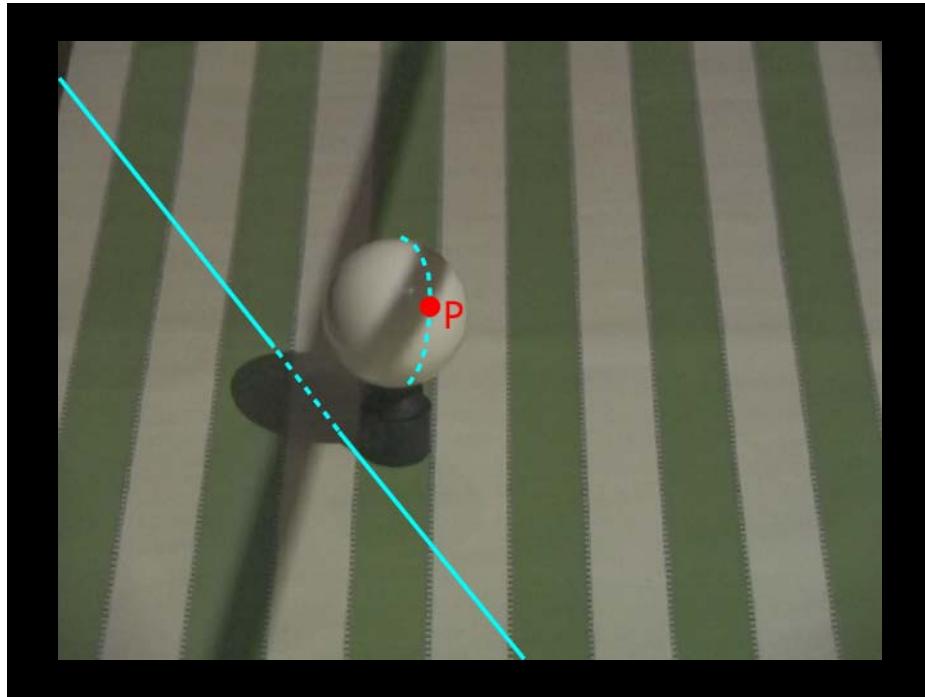
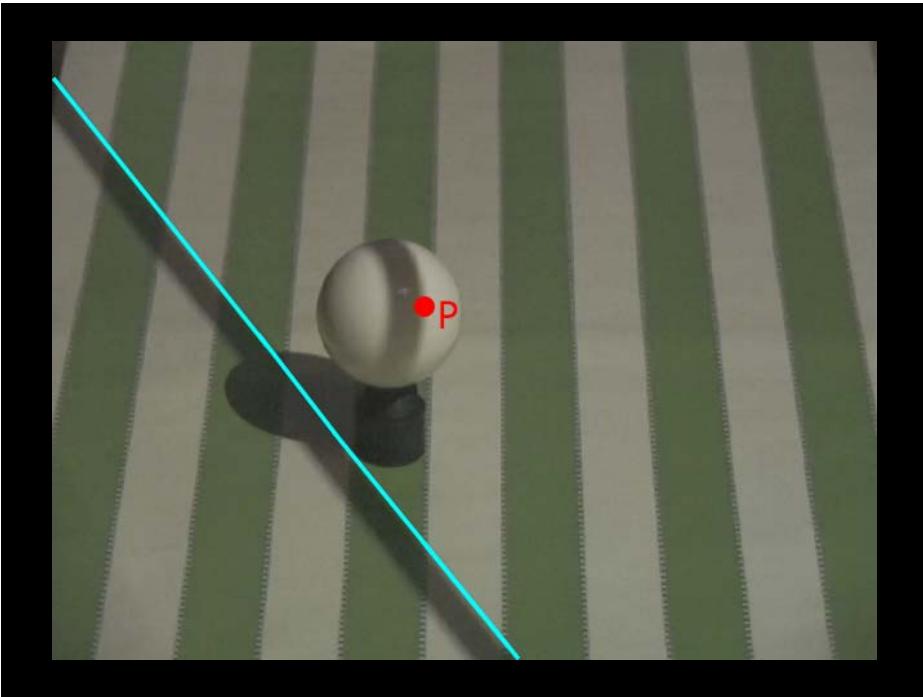


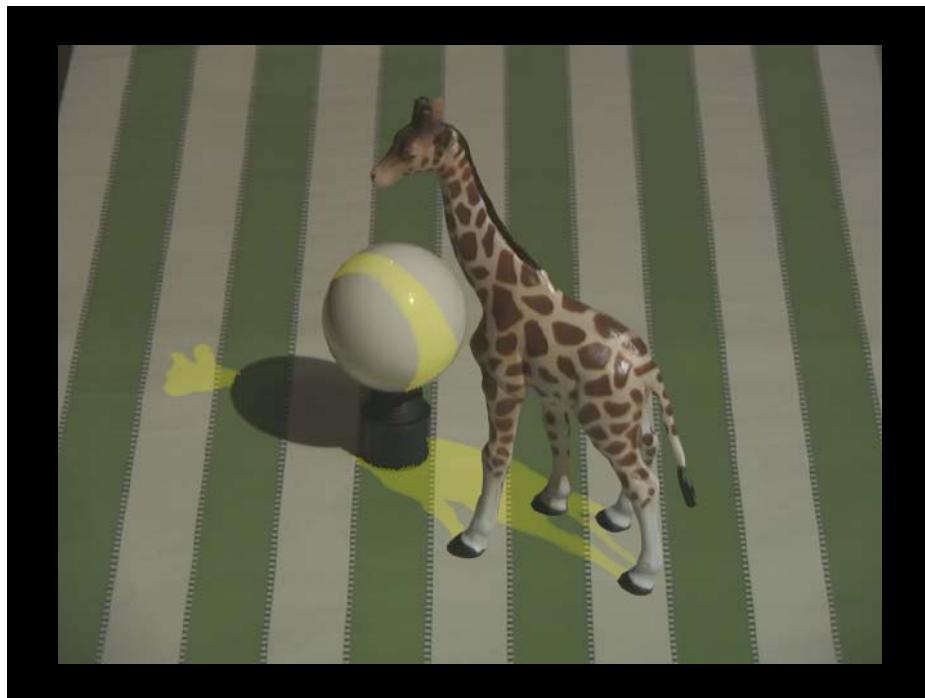
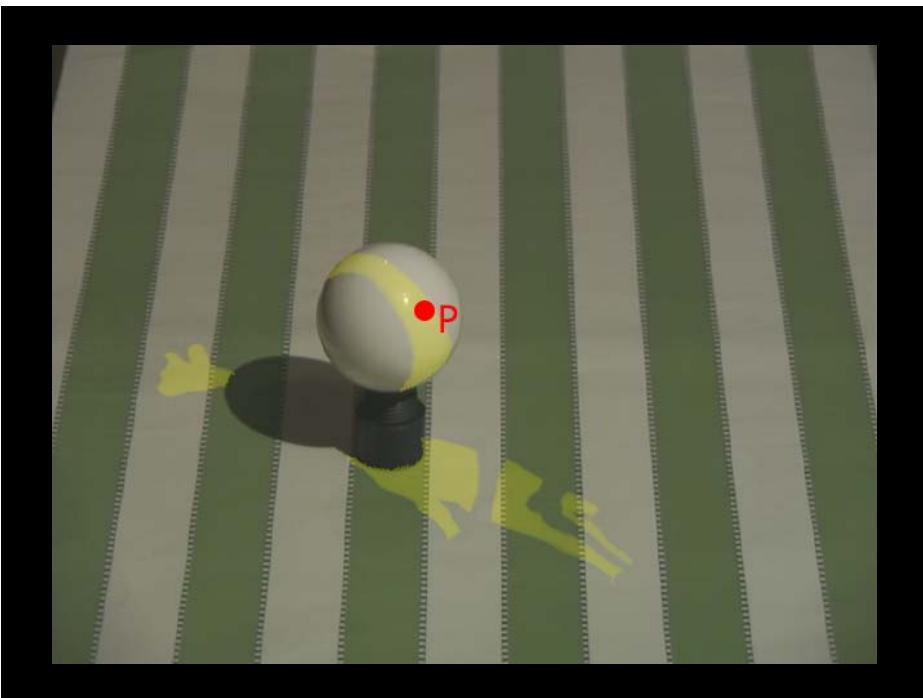
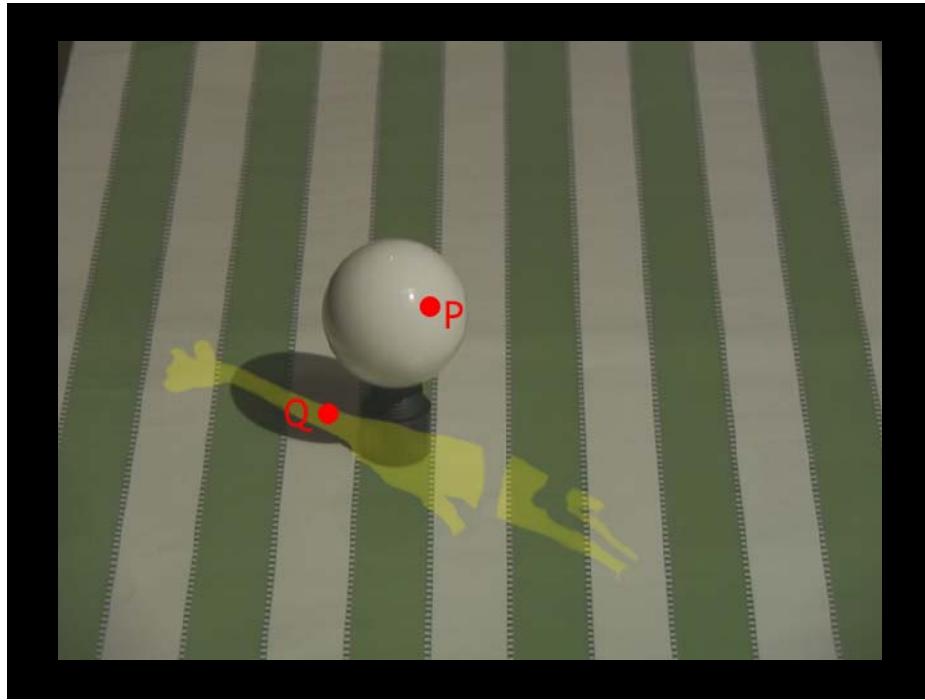
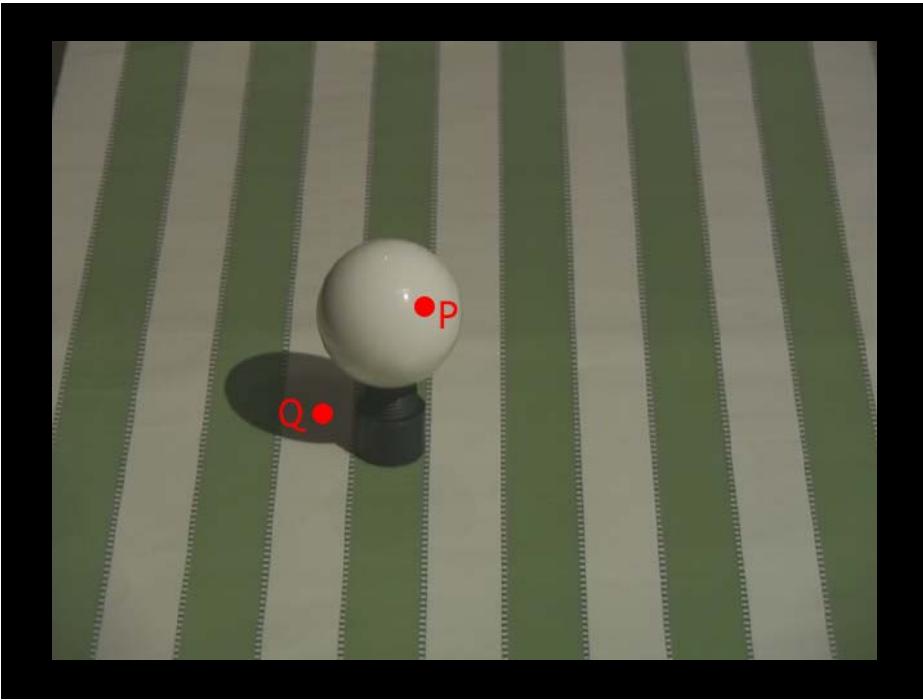
Requirement #1

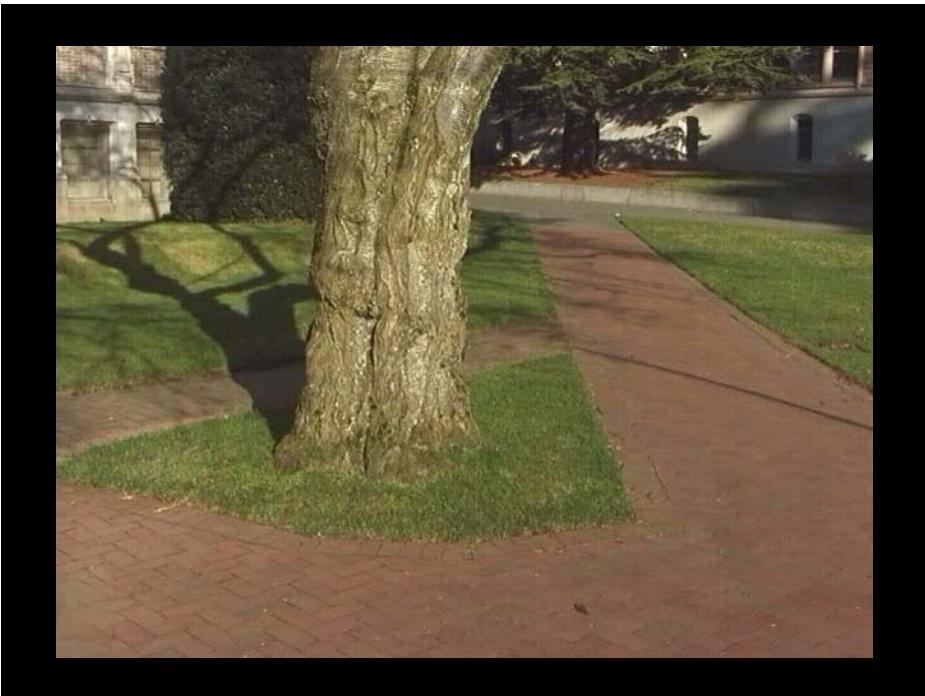
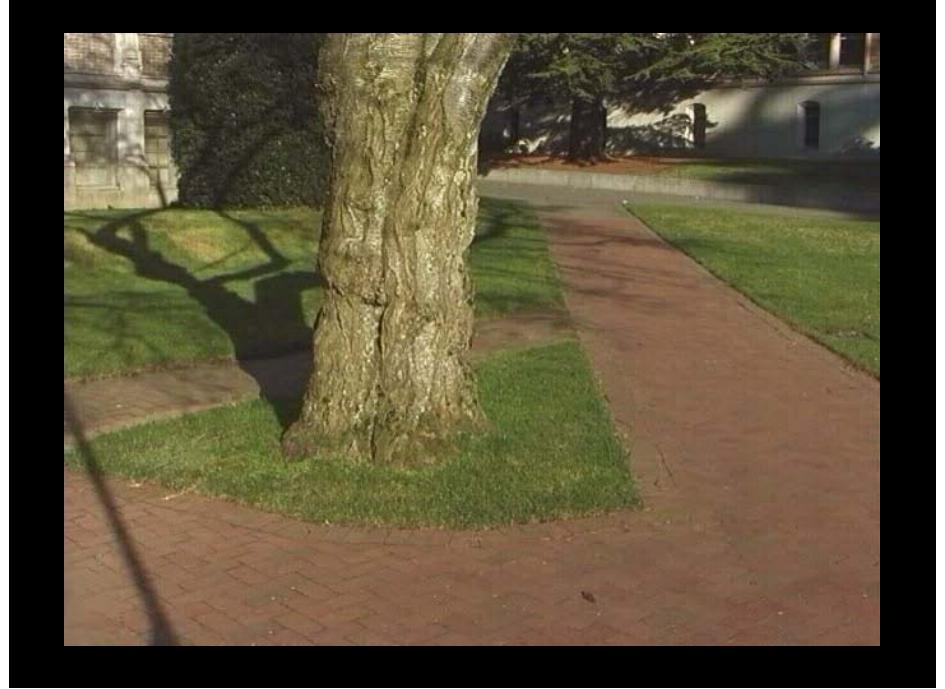
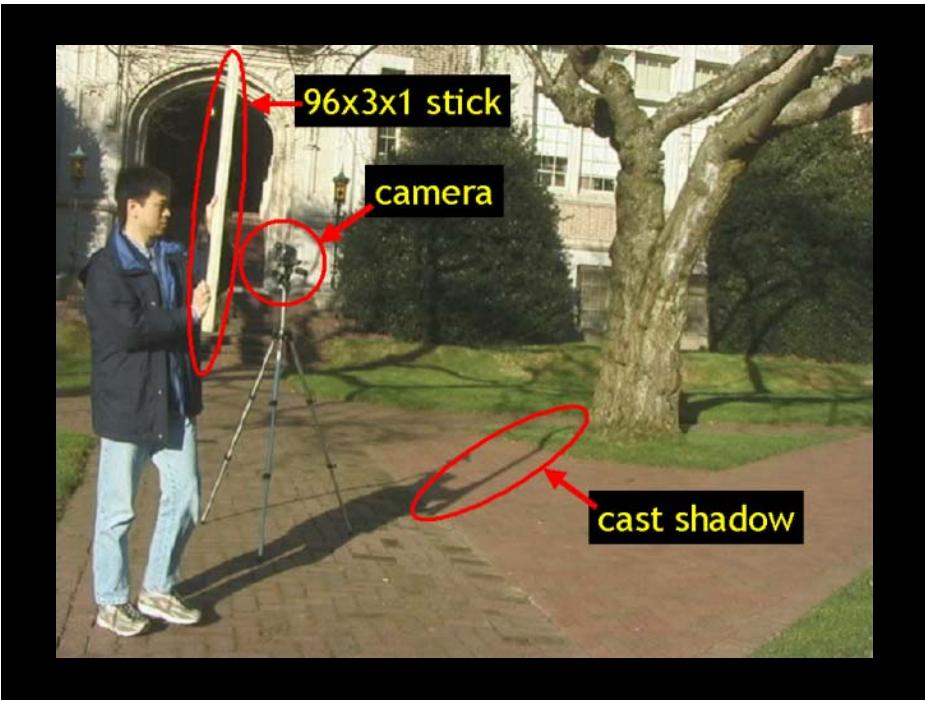


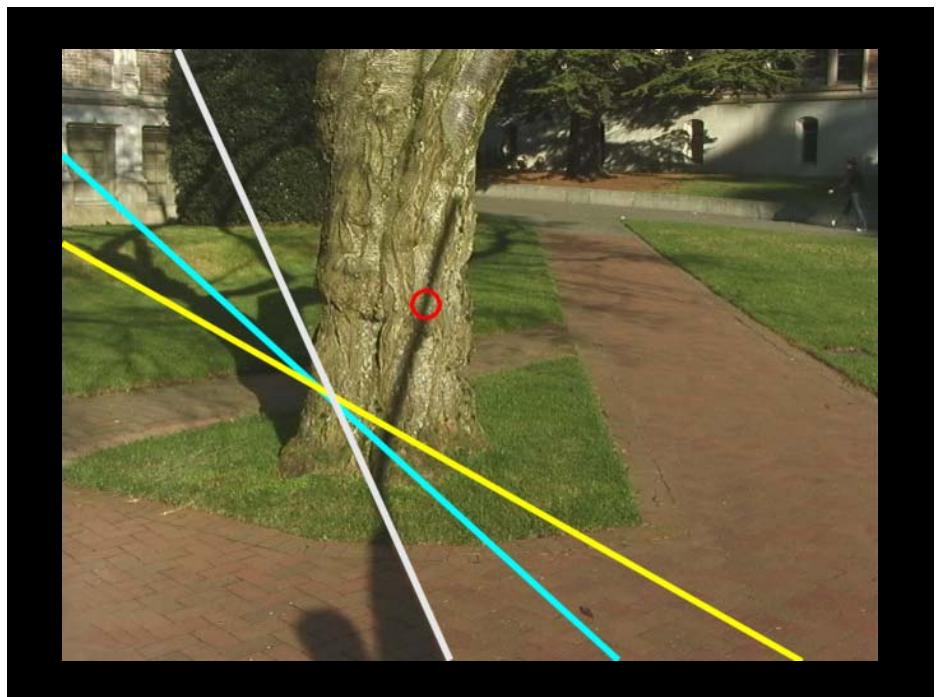
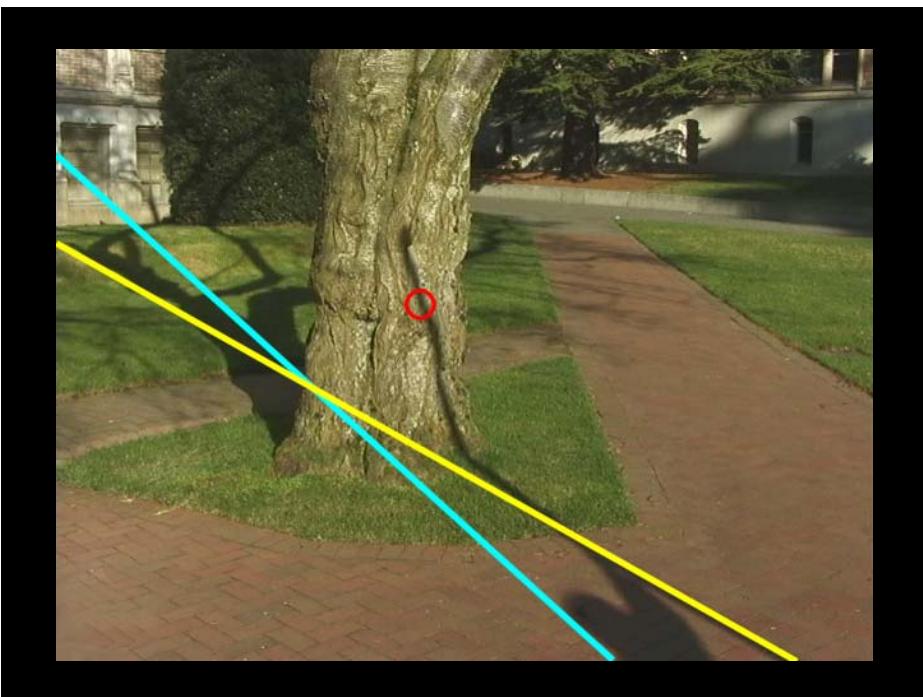
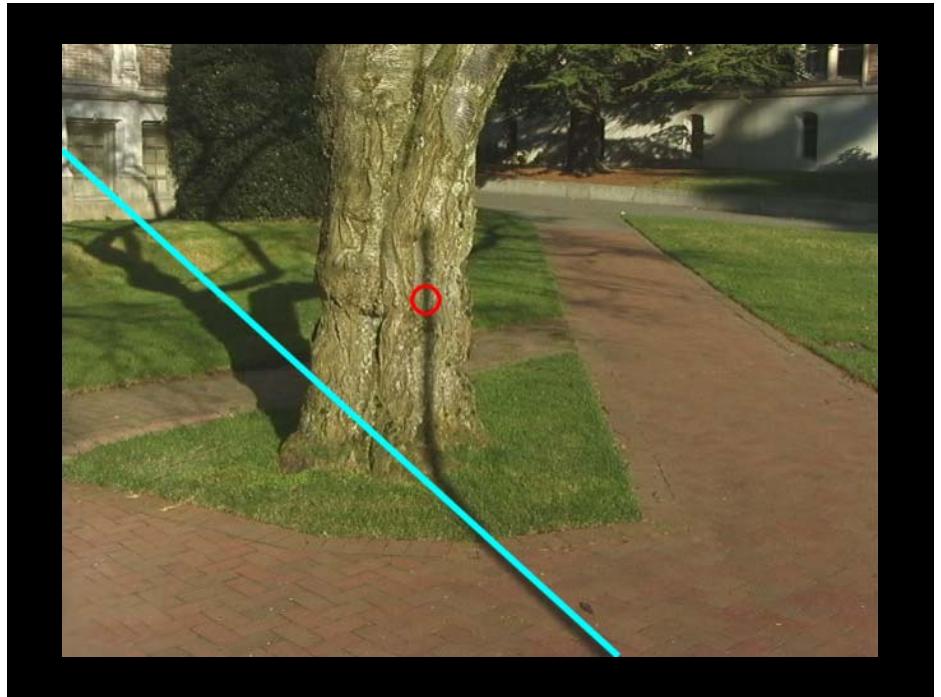


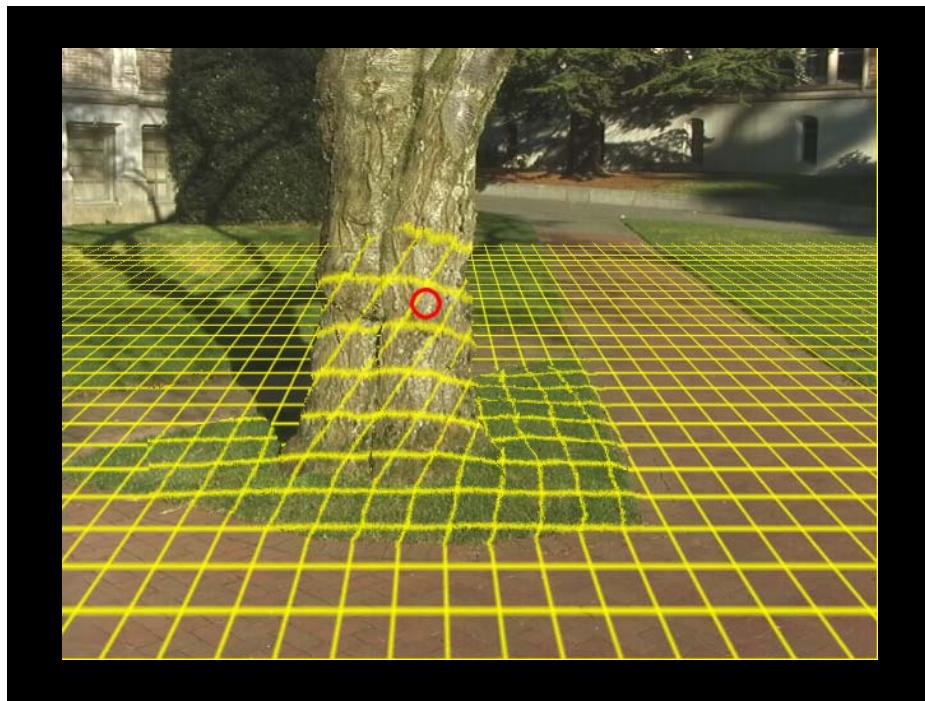
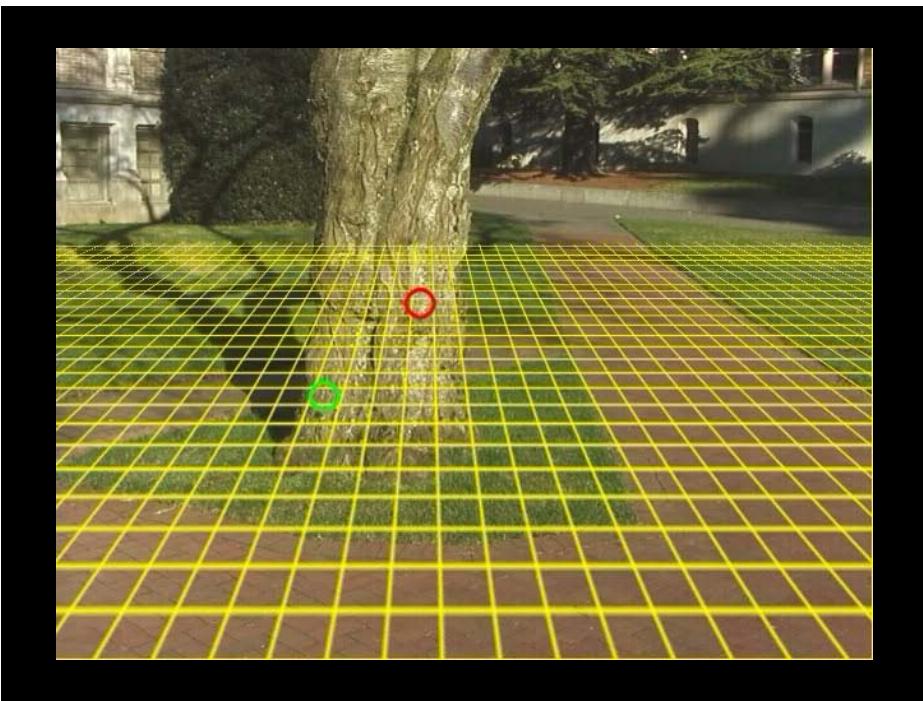
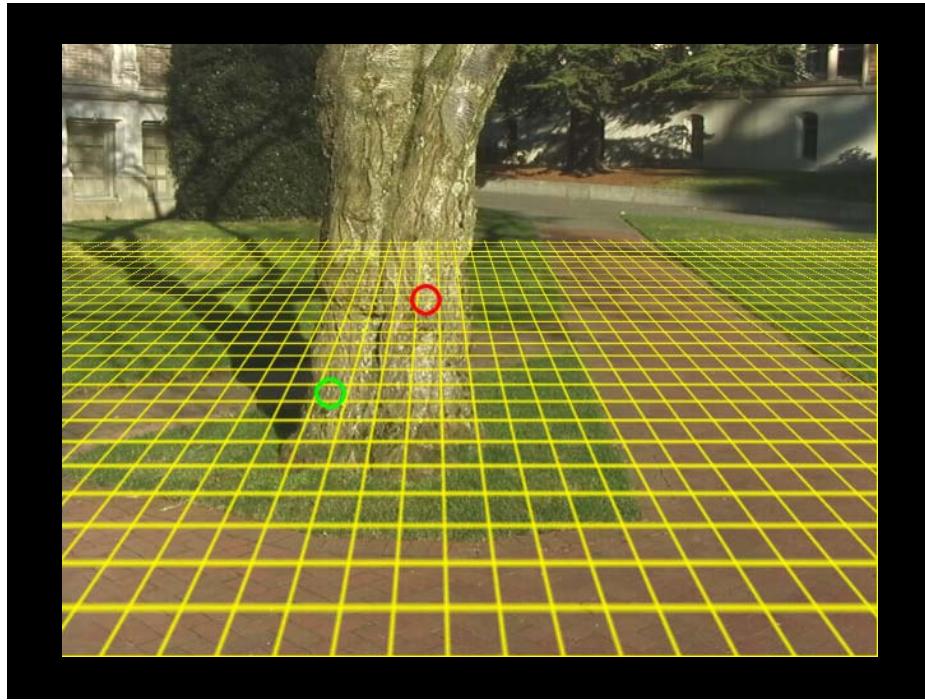
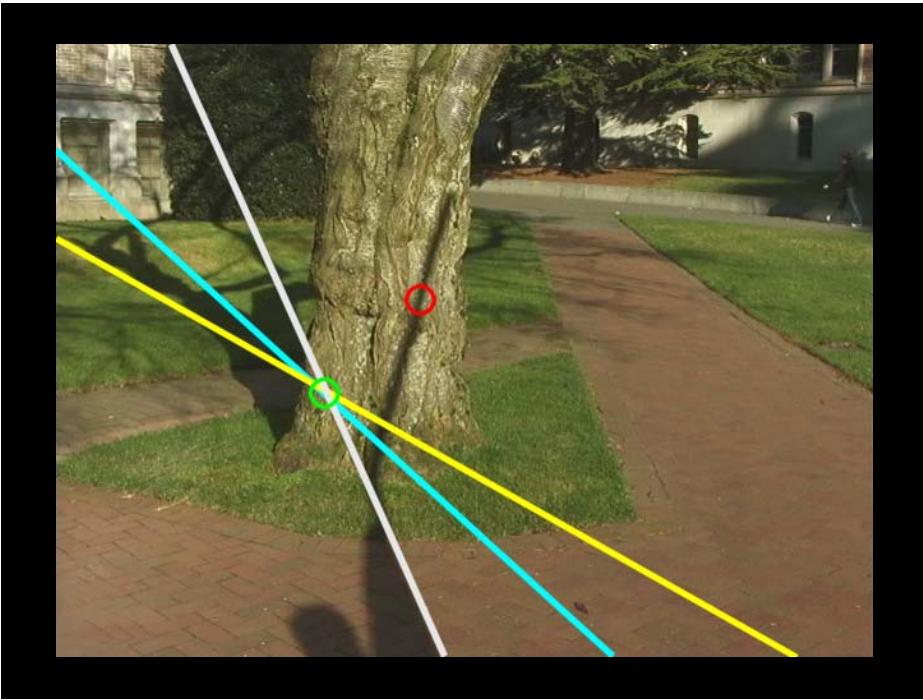


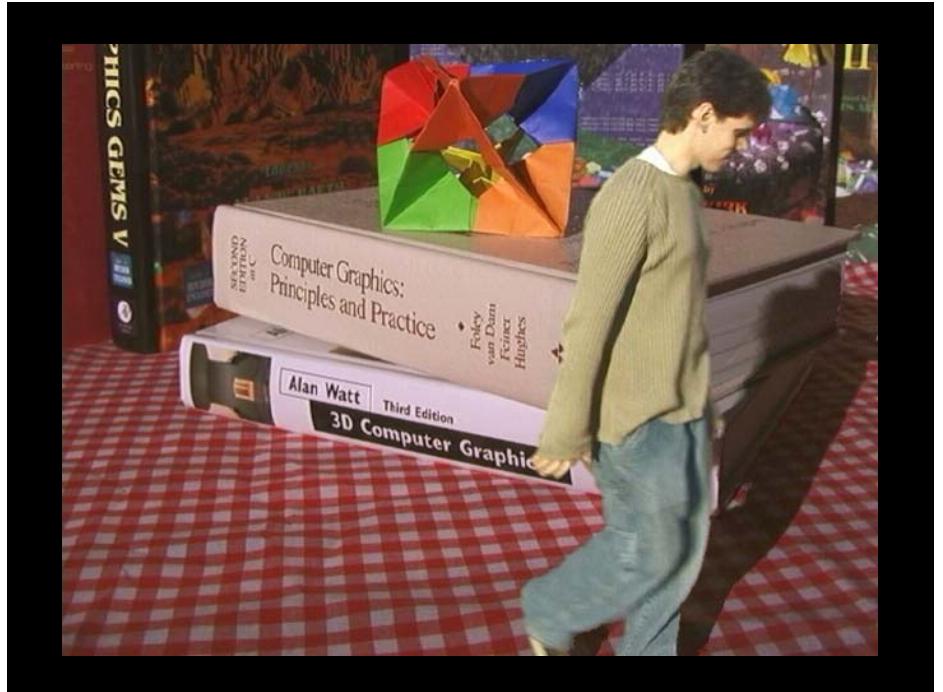
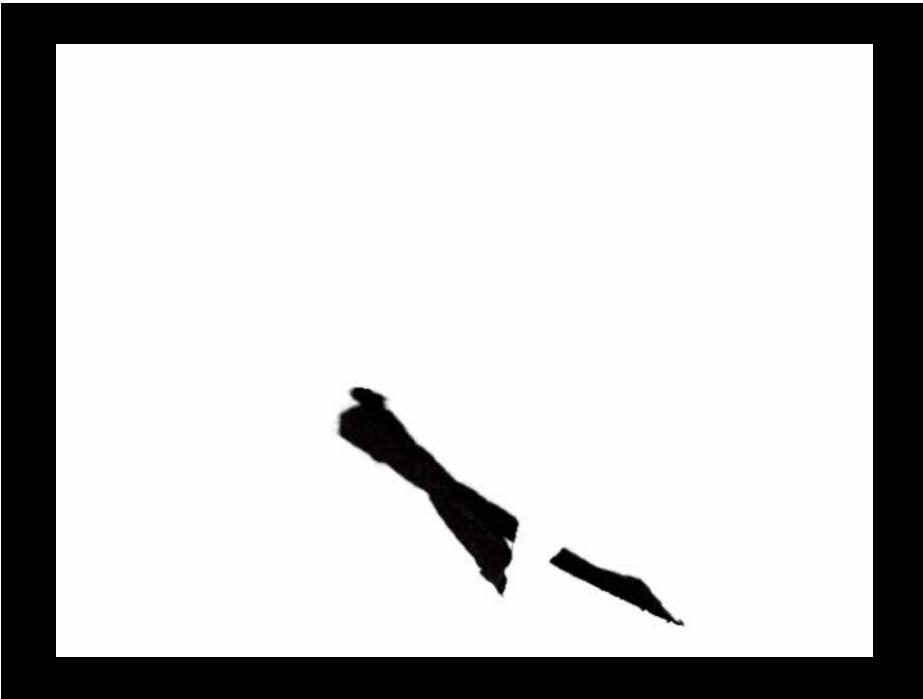


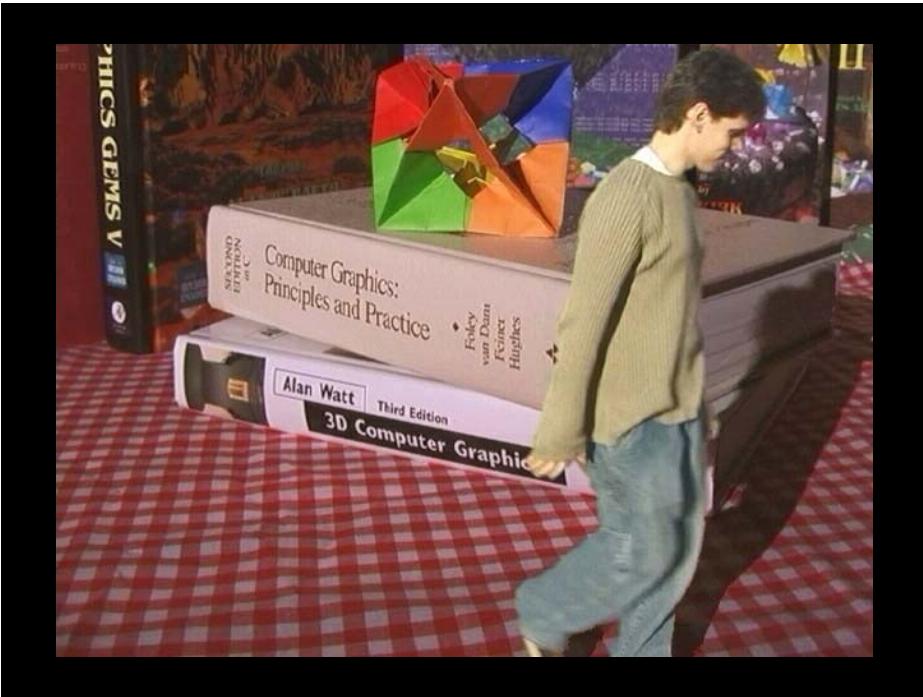




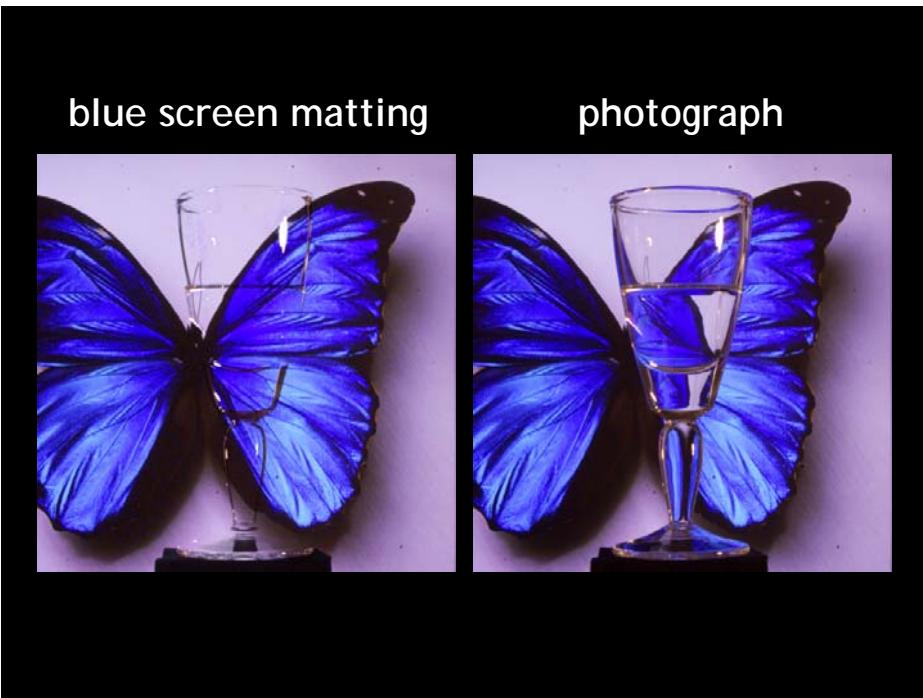




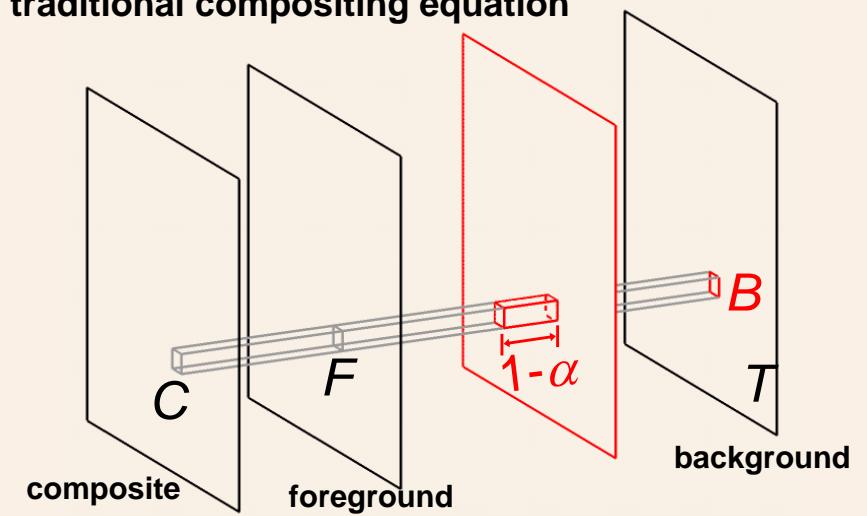




Environment matting

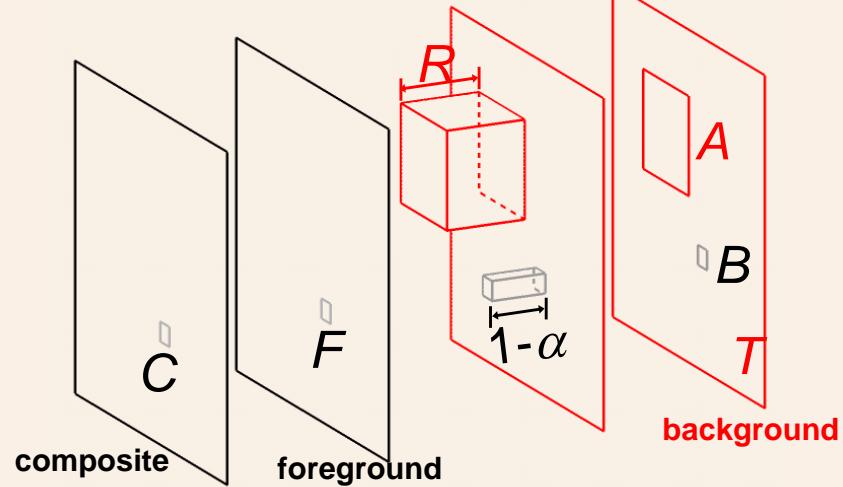


traditional compositing equation



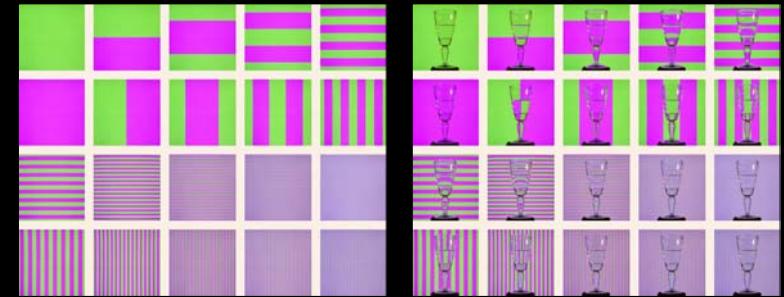
$$C = F + (1-\alpha)B$$

environment compositing equation [Zongker'99]



$$C = F + (1-\alpha)B + RM(T, A)$$

$O(k)$ images



Environment matting [Zongker'99]

Zongker et al.



photograph



Problem: color dispersion

Zongker et al.



photograph



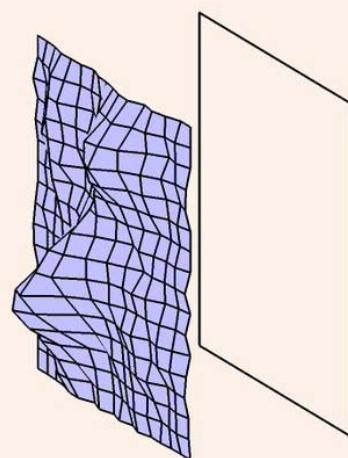
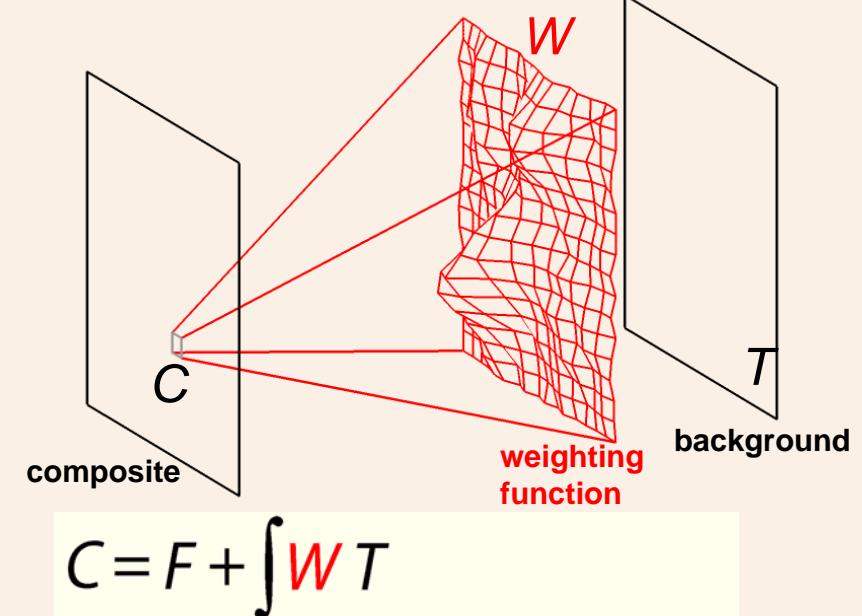
Problem: glossy surface

Zongker et al.

photograph

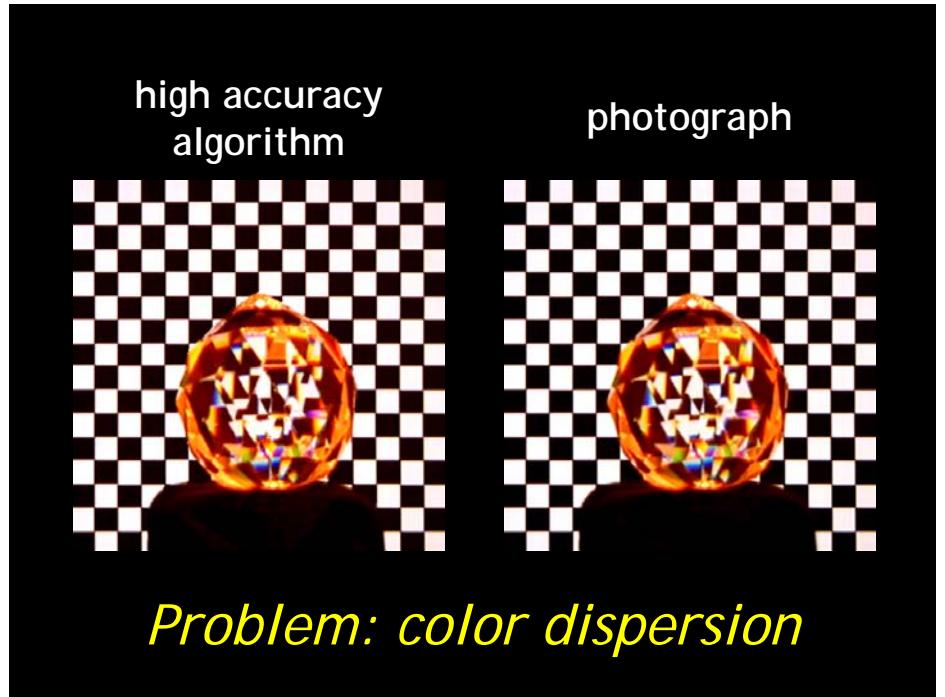


Problem: multiple mappings

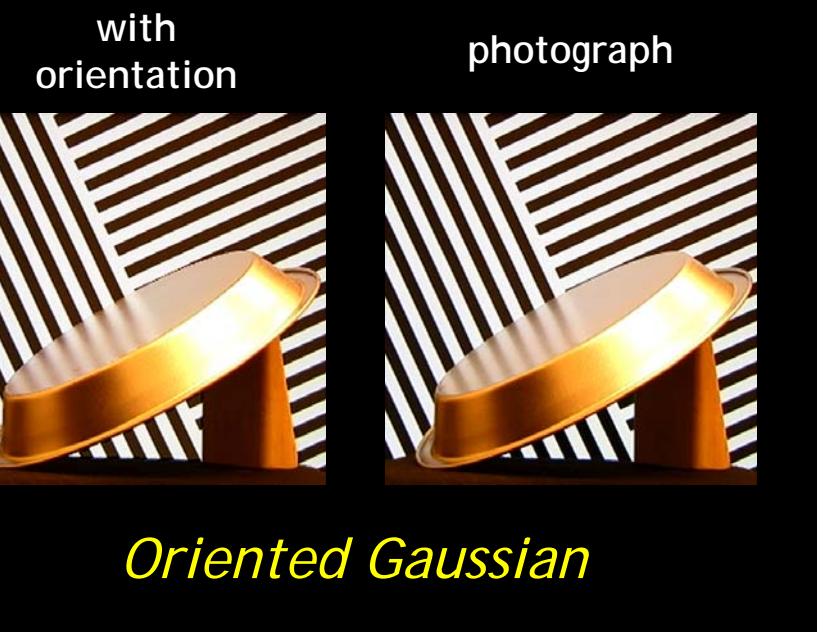
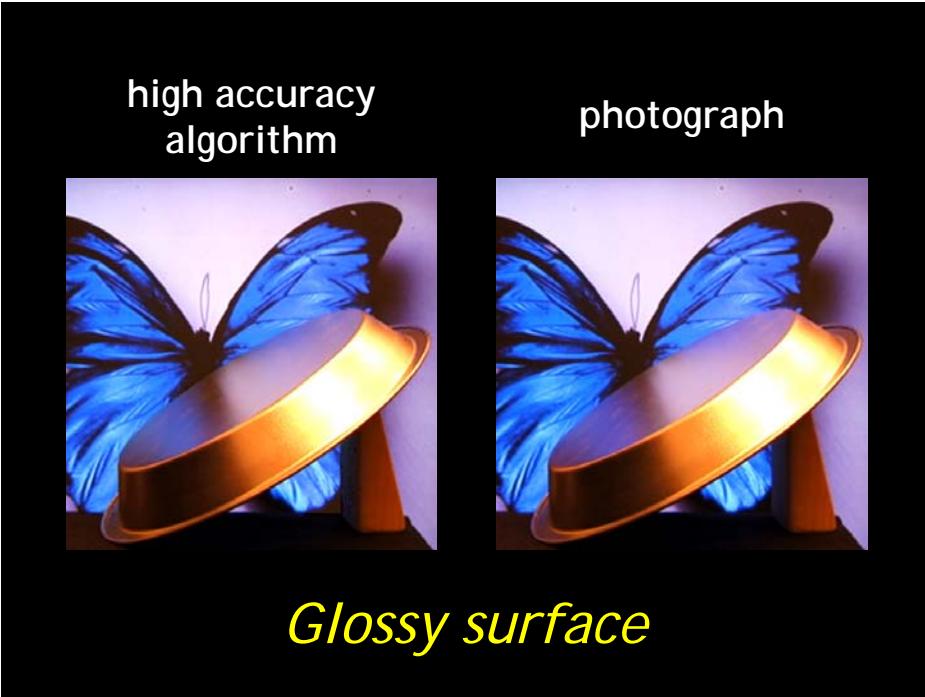


Multimodal oriented Gaussian





Problem: color dispersion



Oriented Gaussian

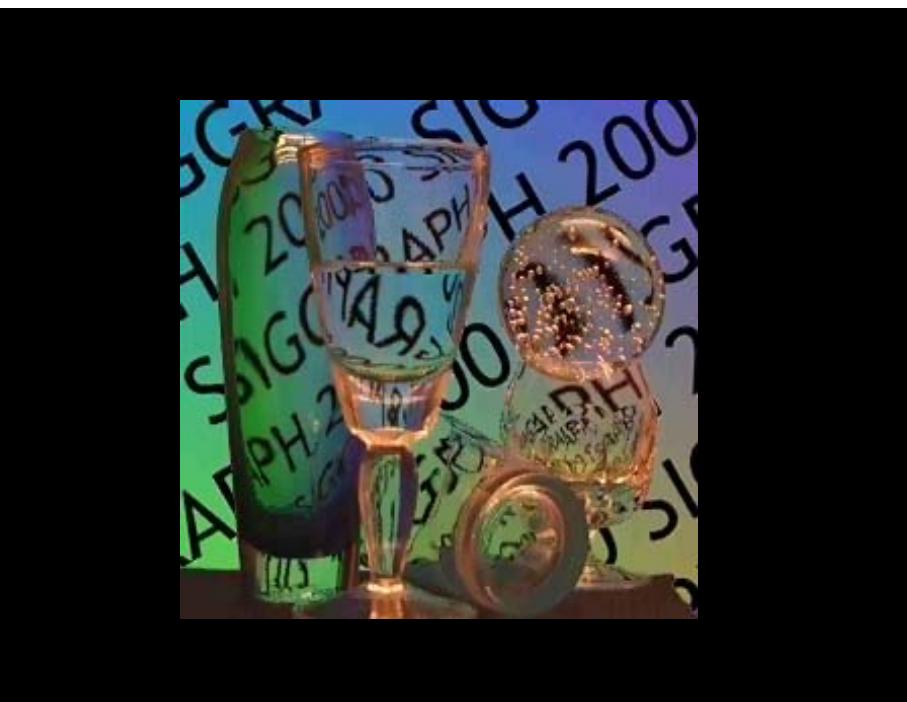
high accuracy
algorithm



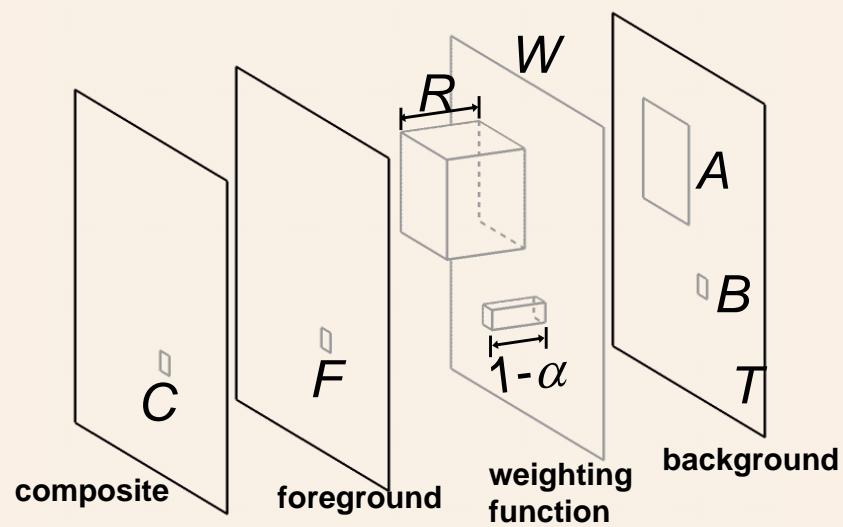
photograph



Problem: multiple mappings



$$C = F + (1-\alpha)B + R\mathcal{M}(T, A)$$



$$C = F + (1-\alpha)B + R\mathcal{M}(T, A)$$

3 3 1 3 4

3 observations

11 variables

- A, R
- α
- F

$$C = R\mathcal{M}(T, A)$$

3 3 4

3 observations
7 variables

- A, R
- α
- F

$$C = \rho\mathcal{M}(T, A)$$

3 1 4

3 observations
5 variables

- $A, R \longrightarrow A, \rho$
- α colorless
- F

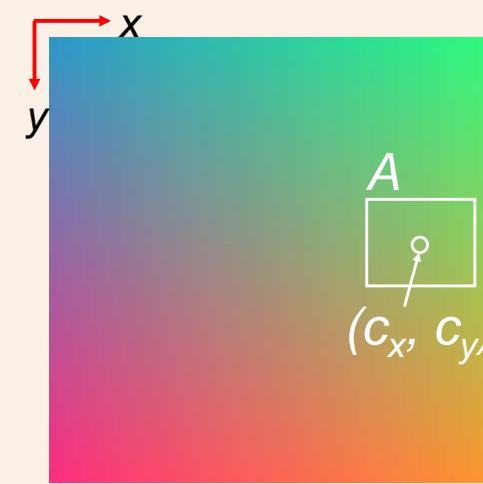
$$C = \rho T(c_x, c_y)$$

3 1 1 1

3 observations
3 variables

- $A, R \longrightarrow A, \rho$ colorless
- α colorless
- F specularly refractive

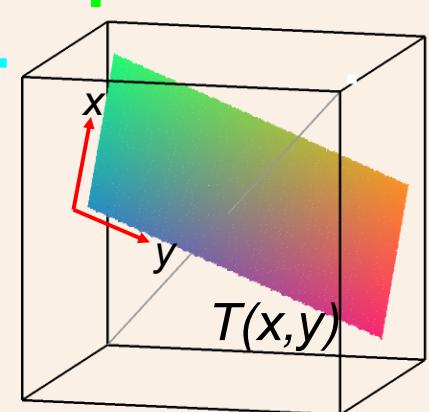
Stimulus function



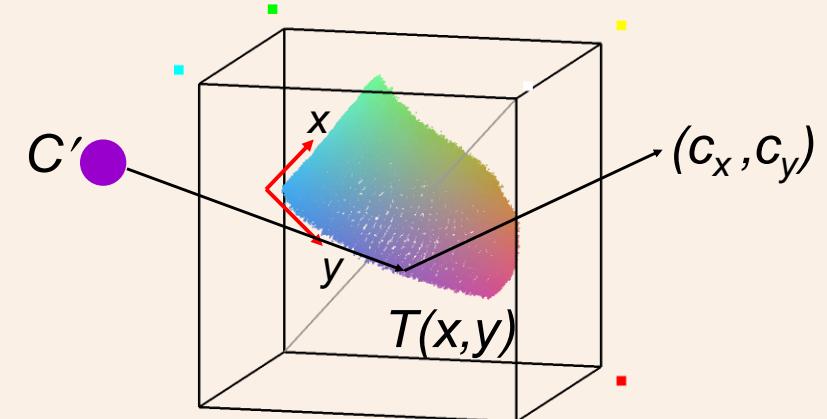
$$\mathcal{M}(T, A) \approx T(c_x, c_y)$$

T

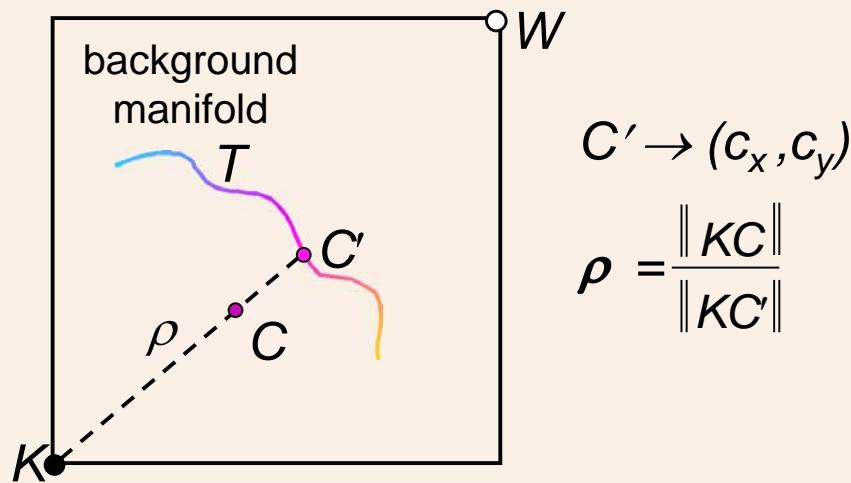
Ideal plane in RGB cube



Calibrated manifold in RGB cube



Estimate c_x, c_y and ρ



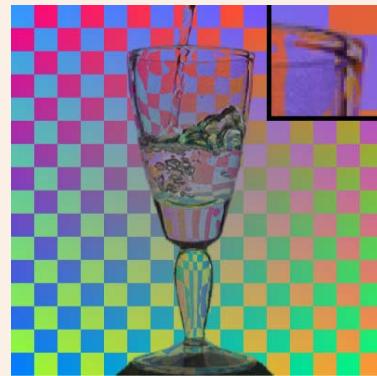
Problem: noisy matte



Edge-preserving filtering



without filtering

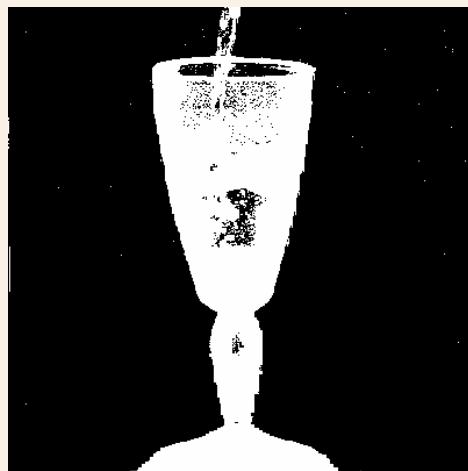


with filtering

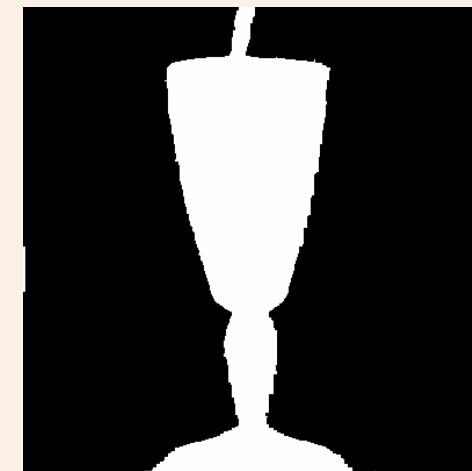
Input image



Difference thresholding



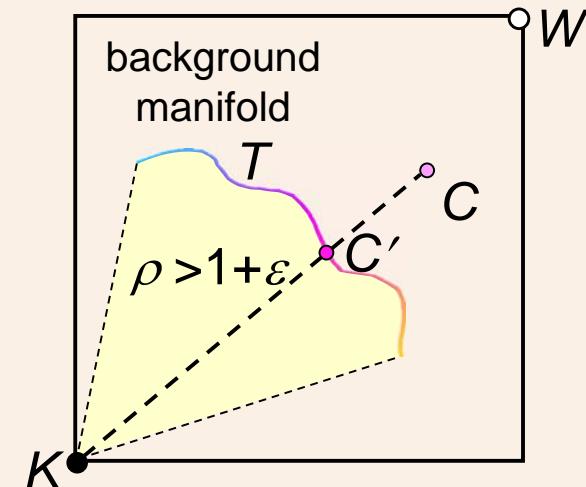
Morphological operation



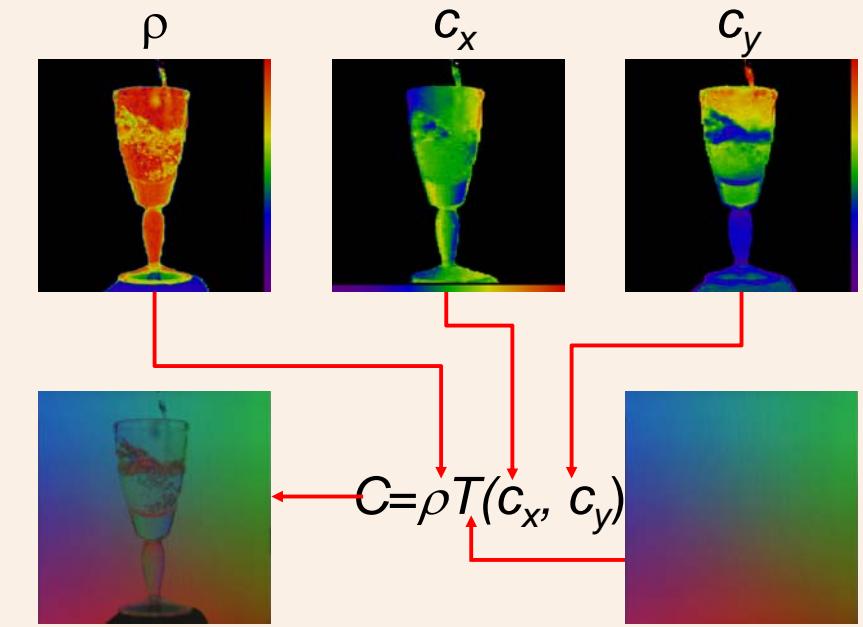
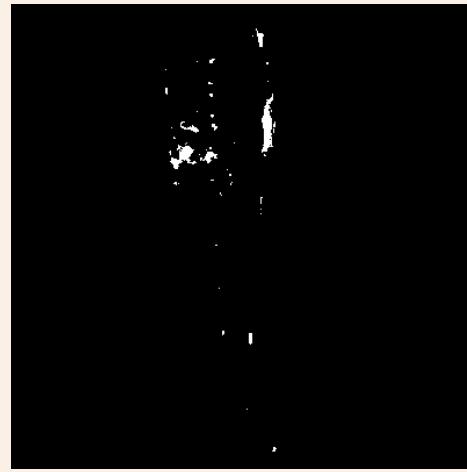
Feathering



Heuristics for specular highlights



Heuristics for specular highlights



Heuristics for specular highlights

input - estimation = foreground (highlights)

The diagram illustrates a mathematical operation for extracting specular highlights. On the left is the original image of a glass containing liquid. In the center is a similar image where the highlights have been removed. A minus sign between them indicates subtraction. To the right is a completely black image, labeled "foreground (highlights)", which represents the result of the subtraction.

Composite with highlights



	compositing model	matting method
color blending	$C = \alpha F + (1-\alpha)B$	blue-screen Bayesian
shadow	$C = \beta S + (1-\beta)L$	Shadow matting
refraction reflection	$C = F + \int WB$	High-accuracy env. matting