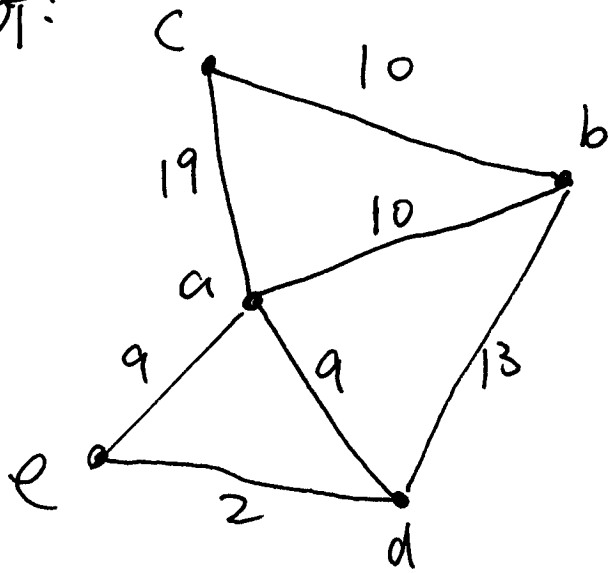


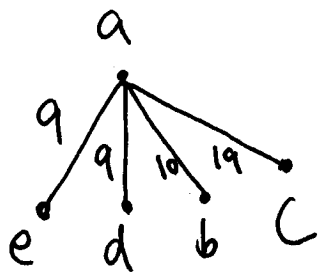
GT:



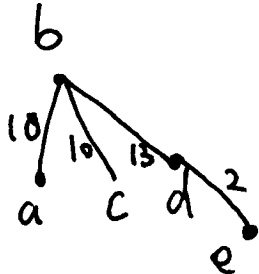
Created by 王#白 2010 Fall
Redrawn by Kun-Ma. Chow
Verified

The shortest-paths trees rooted at different medians might have different routing costs.

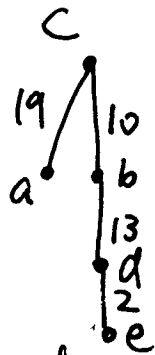
SPT_a



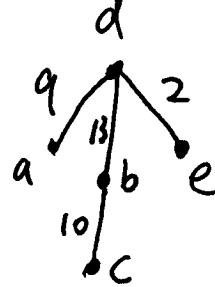
SPT_b



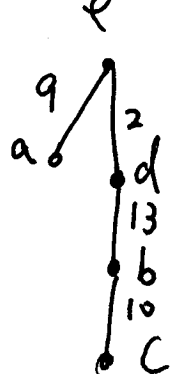
SPT_c



SPT_d



SPT_e



$$\sum d_G(a, *)$$

$$= 47$$

median

$$\sum d_G(b, *)$$

$$= 48$$

$$\sum d_G(c, *)$$

$$= 77$$

$$\sum d_G(d, *)$$

$$= 47$$

median

$$\sum d_G(e, *)$$

$$= 51$$

$$C(SPT_a) = 2 \times 1 \times 4 \times (9 + 9 + 10 + 19) = 376$$

$$C(SPT_b) = 2 \times 1 \times 4 \times (10 + 10 + 2) + 2 \times 2 \times 3 \times 13 = 332$$

$$C(SPT_c) = 2 \times 1 \times 4 \times (19 + 2) + 2 \times 2 \times 3 \times (10 + 13) = 444$$

$$C(SPT_d) = 2 \times 1 \times 4 \times (9 + 10 + 2) + 2 \times 2 \times 3 \times 13 = 324$$

$$C(SPT_e) = 2 \times 1 \times 4 \times (9 + 10) + 2 \times 2 \times 3 \times (2 + 13) = 332$$

a, d: medians

$C(SPT_a) \neq C(SPT_d)$